

CP violation at CDF

Lifetimes:

$\Delta\Gamma, \Lambda_b, B_s, B_c,$
 B^+, B_d

B and D
BR and A_{CP}

New particles

Σ_b, Ξ_b

Mixing:

B_s, B_d, D^0

Exciting time at the Tevatron
for heavy flavor physics!

Masses:

B_c, Λ_b, B_s

Production

$\sigma(b), \sigma(J/\psi), \sigma(D^0)$

Rare decays

$B_s \rightarrow \mu^+ \mu^-,$
 $D^0 \rightarrow \mu^+ \mu^-, \dots$

SURPRISES!?

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Outline

- Standard Model, physics beyond SM (BSM or NP) and the role of indirect searches for BSM.
 - CP violation in b-hadron decays as a tool to search for BSM
- Tevatron and CDF II detector
 - doing B physics in hadronic environment
- CP violation measurements at CDF:
 - $B_s \rightarrow J/\psi \phi$: lifetime, $\Delta\Gamma_s$ and CP violation in B_s system
 - charge asymmetry in semileptonic B_s decays
 - CPV in fully hadronic channels
 - $B_s \rightarrow K\pi$, $B^0 \rightarrow K\pi$, and $\Lambda_b \rightarrow p \pi$, pK decays
 - $B^+ \rightarrow D_{CP}^0 K^+$
- Conclusions

Role of precision measurements

- Standard Model works well: excellent agreement with data for 30+ years.
- Perhaps too well: we don't understand many things (dark matter, dark energy, neutrino masses, baryon asymmetry, no Higgs yet, etc.)
- We all believe there's deeper physics that underlies SM
 - Beyond SM (“BSM”), or New Physics (“NP”)
- Road to New Physics:
 - direct searches at Tevatron (now) and LHC (soon)
 - indirect searches: check internal consistency of SM

CP violation as 'precision' tests

- If there were New Physics:

$$A_{\text{meas}} = A^{SM} + A^{NP} = |A^{SM}|e^{i\phi^{SM}} + |A^{NP}|e^{i\phi^{NP}}$$

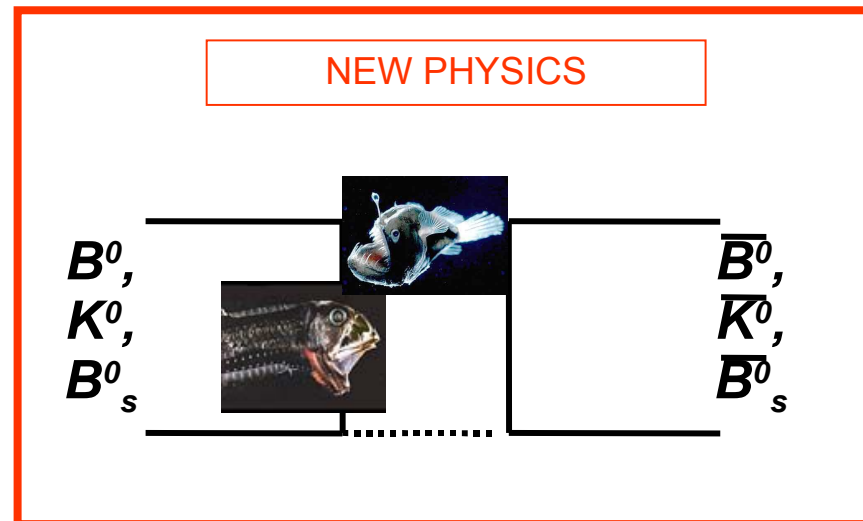
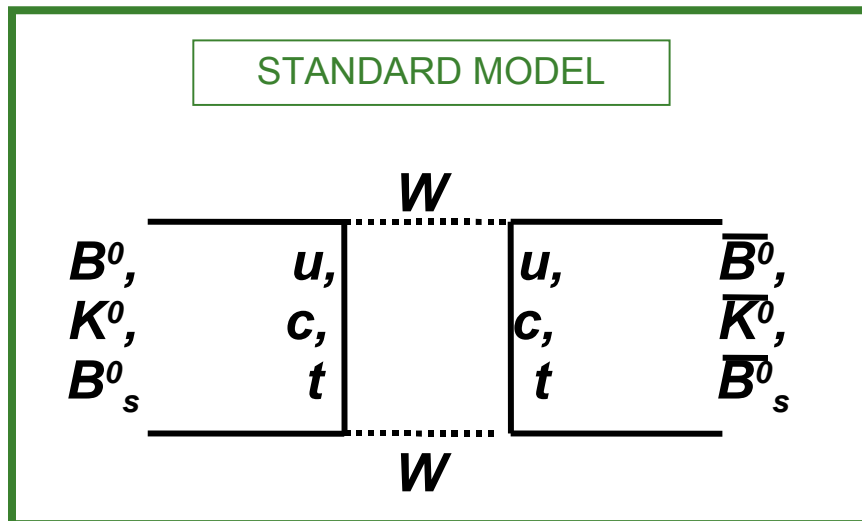
- New Physics can affect the magnitude, i.e. $|A_{\text{meas}}|^2 \neq |A^{SM}|^2$
- Or if there's phase difference, i.e., $\phi^{SM} \neq \phi^{NP}$, there will be **interference** which would be *a new source of CP violation*
- CP violation is any difference between properties of a decay and its “mirror image” resulting from C and P transformations. It could include:
 - decay rate (this requires A^{SM} to also contain a strong phase)
 - triple products (works even when strong phase is 0)
 - coefficients describing angular decomposition of the amplitude, etc.

CP violation where there should be none

- Most consistency checks (especially in electroweak data) have achieved amazing precision (think of W mass)
- 'Null' measurements (in cases where SM predicts ~ 0) are especially powerful
 - e.g., $\text{BR}(B_s \rightarrow \mu\mu)$ in SUSY may be significantly larger than in SM
- CP violation measurements often have lower precision
- So, null CP violation measurements are particularly useful – any *significant* deviation from 0 is a potential signal of BSM
- Null CP violation is the main topic of this talk

Example of possible NP contribution

New physics, if any, in suppressed processes, as flavor-mixing (or FCNC).



Effective field theory factorizes New Physics into a complex amplitude

$$\frac{\langle M | H_{\text{eff}}^{\text{full}} | \bar{M} \rangle}{\langle M | H_{\text{eff}}^{\text{SM}} | \bar{M} \rangle} = C_M e^{2i\phi_M}$$

$$C_{B_s} e^{2i\phi_{B_s}} = \frac{A_s^{\text{SM}} e^{-2i\beta_s} + A_s^{\text{NP}} e^{2i(\phi_s^{\text{NP}} - \beta_s)}}{A_s^{\text{SM}} e^{-2i\beta_s}} = \frac{\langle B_s | H_{\text{eff}}^{\text{full}} | \bar{B}_s \rangle}{\langle B_s | H_{\text{eff}}^{\text{SM}} | \bar{B}_s \rangle},$$

Bottom line: to constrain NP need to measure magnitude and phase

CP violation in Standard Model

- Standard Model CP violation occurs through complex phases in the unitary CKM quark mixing matrix (3 real params + one phase)

$$\begin{pmatrix} d' \\ s' \\ b' \end{pmatrix} = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} \begin{pmatrix} d \\ s \\ b \end{pmatrix}$$

- Expanded in $\lambda = \sin(\theta_{\text{Cabibbo}}) \approx 0.23$:

Large CP violation $\sim \lambda^3$

$$\begin{pmatrix} 1 - \frac{1}{2}\lambda^2 - \frac{1}{8}\lambda^4 & \lambda & A\lambda^3(\rho - i\eta) \\ -\lambda + \frac{1}{2}A^2\lambda^5[1 - 2(\rho + i\eta)] & 1 - \frac{1}{2}\lambda^2 - \frac{1}{8}\lambda^4(1 + 4A^2) & A\lambda^2 \\ A\lambda^3[1 - (1 - \frac{1}{2}\lambda^2)(\rho + i\eta)] & -A\lambda^2 + \frac{1}{2}A\lambda^4[1 - 2(\rho + i\eta)] & 1 - \frac{1}{2}A^2\lambda^4 \end{pmatrix}$$

Highly suppressed
CP violation $\sim \lambda^5$

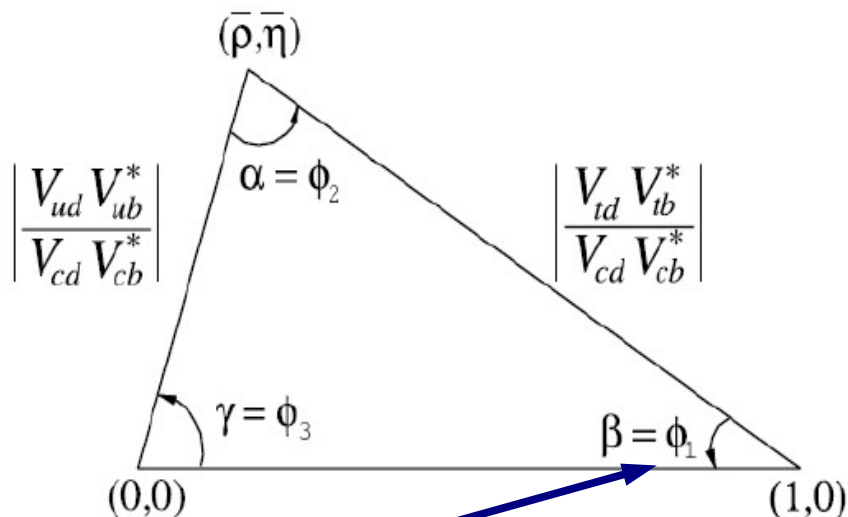
Large CP violation $\sim \lambda^3$

Suppressed CP violation $\sim \lambda^4$

CP violation in Standard Model (2)

B_d unitarity triangle

$$V_{ud}V_{ub}^* + V_{cd}V_{cb}^* + V_{td}V_{tb}^* = 0$$



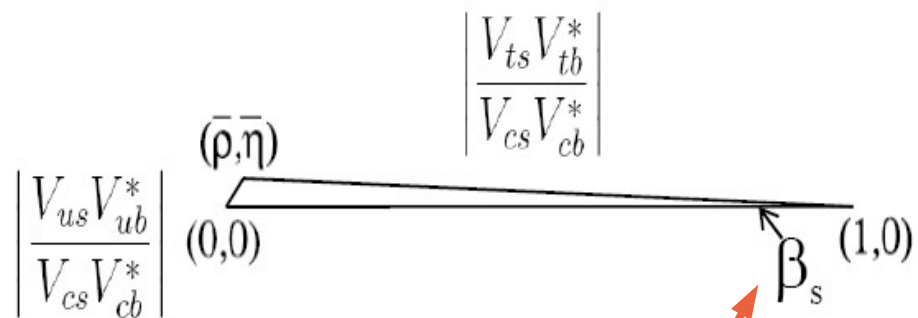
All three angles large

$$\Rightarrow \beta \equiv \arg\left(-\frac{V_{cd}V_{cb}^*}{V_{td}V_{tb}^*}\right) \sim 22^\circ$$

$\Rightarrow A_{CP}$ large

B_s unitarity triangle

$$V_{us}V_{ub}^* + V_{cs}V_{cb}^* + V_{ts}V_{tb}^* = 0$$



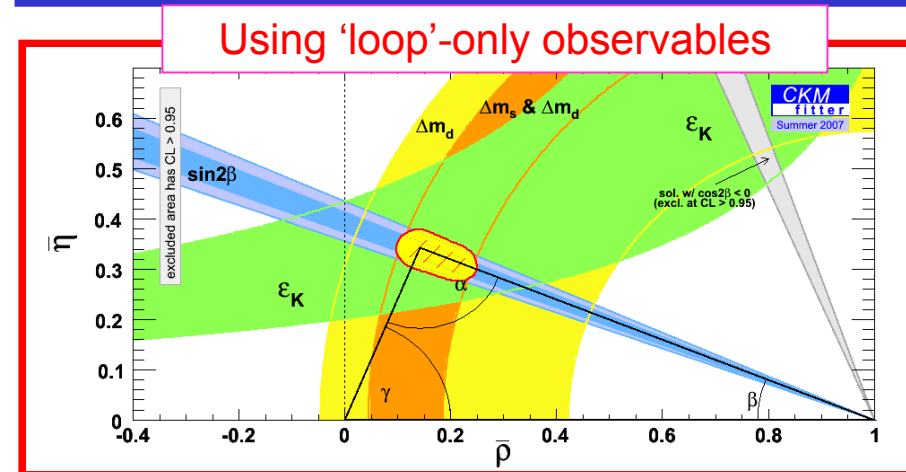
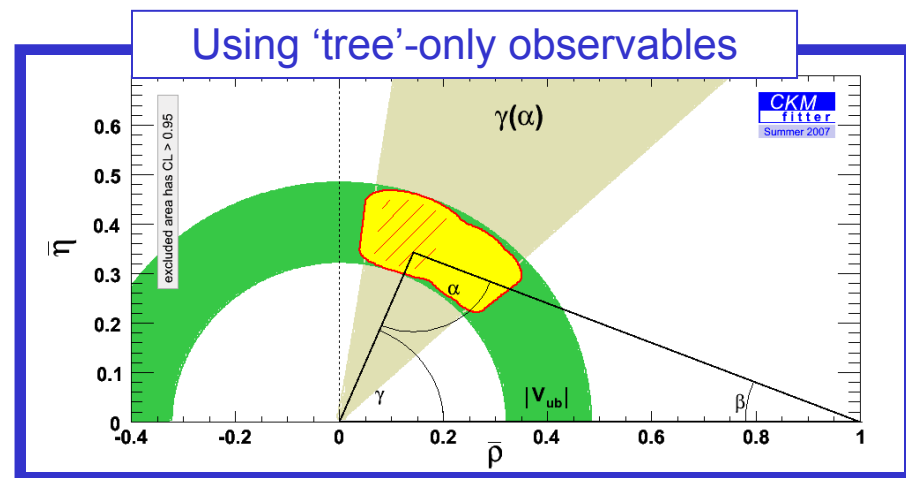
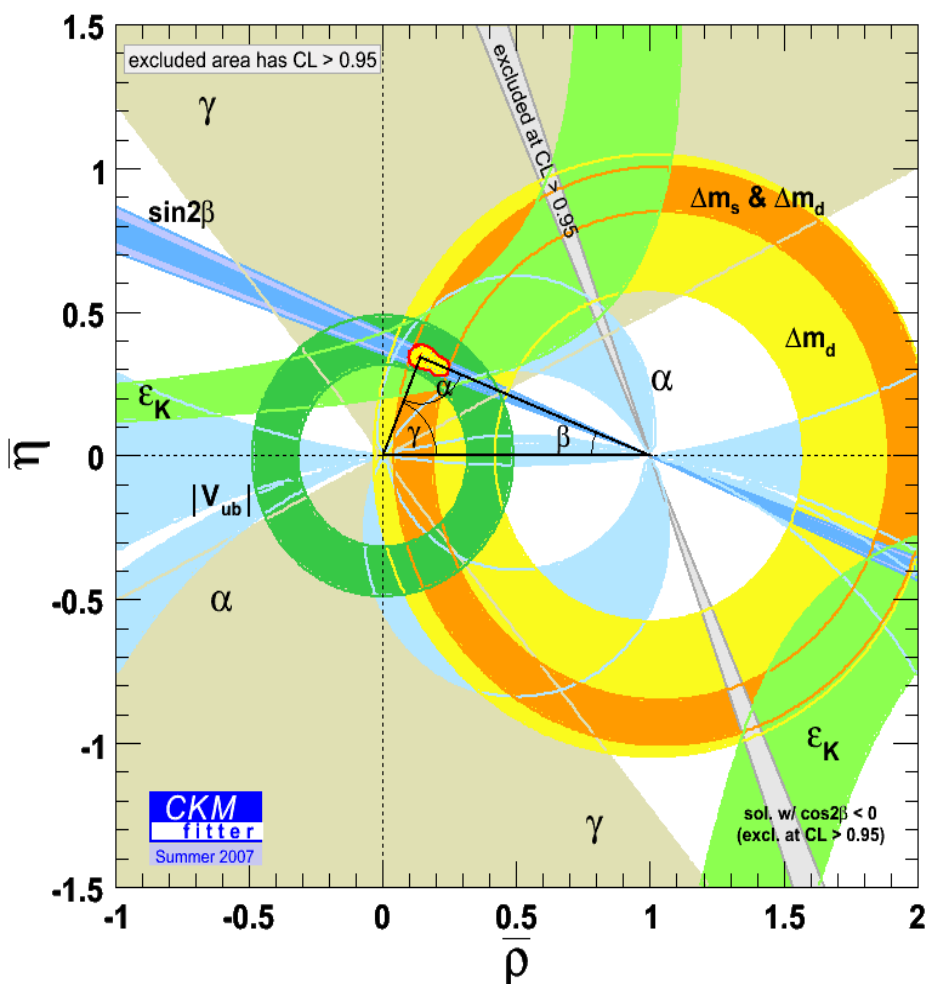
'Squashed' triangle \Rightarrow small β_s angle

$$\beta_s = \beta' \equiv \arg\left(-\frac{V_{ts}V_{tb}^*}{V_{cs}V_{cb}^*}\right) = \mathcal{O}(\lambda^2) \sim 1.1^\circ$$

$\Rightarrow A_{CP} \sim 0$

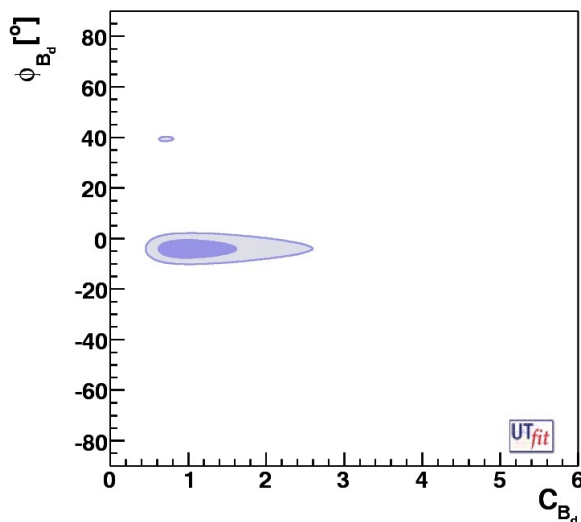
Current status – all measurements

Kaon physics and B factories: satisfactory SM picture of CP violation - at least at tree level in B^0 and B^+ decays.

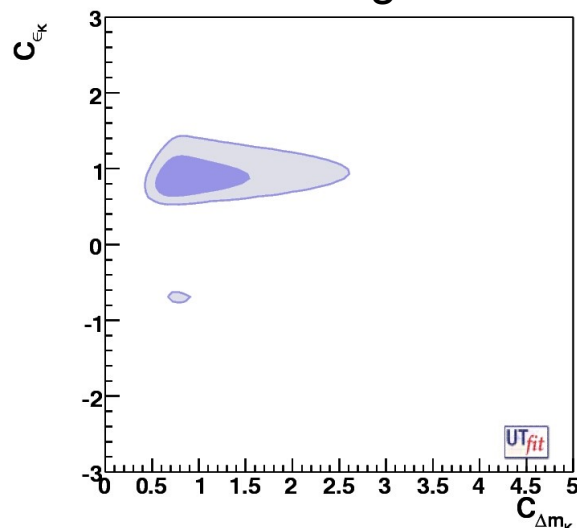


Current status – phases in mixing

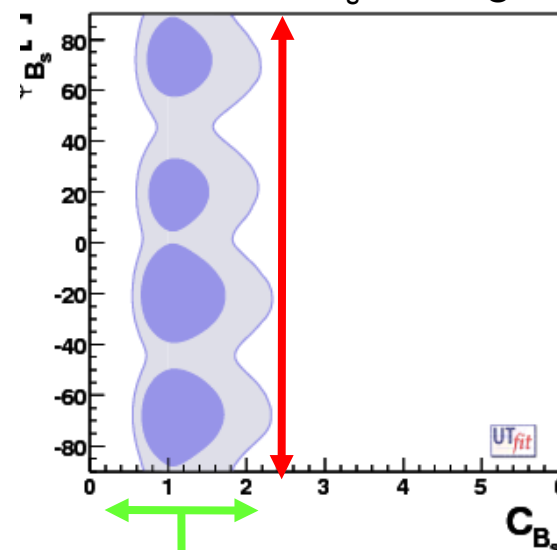
B^0 mixing



K^0 mixing



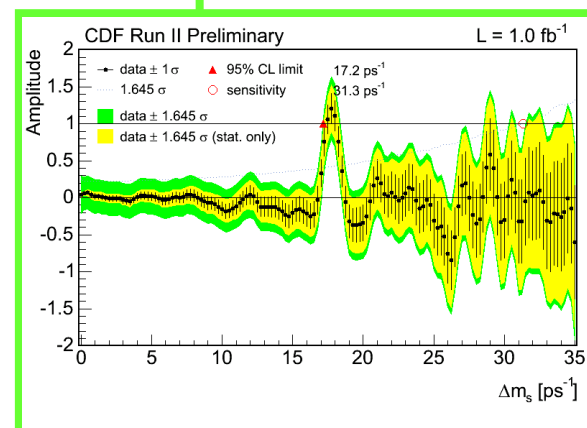
B_s^0 mixing



Lattice-QCD dominated uncertainty

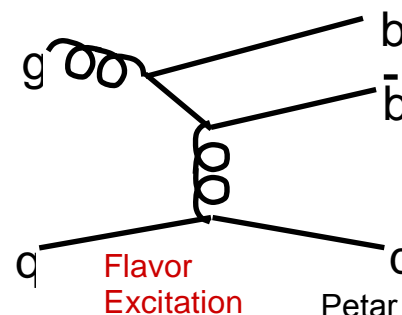
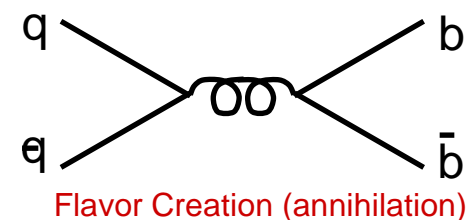
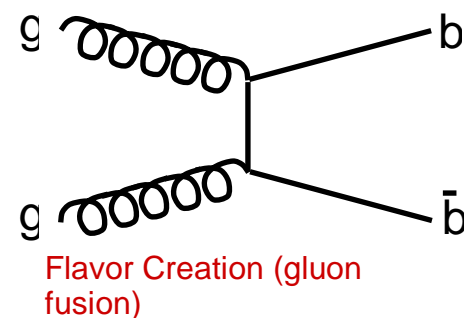
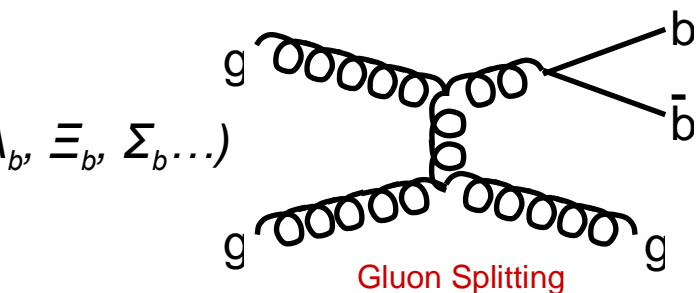
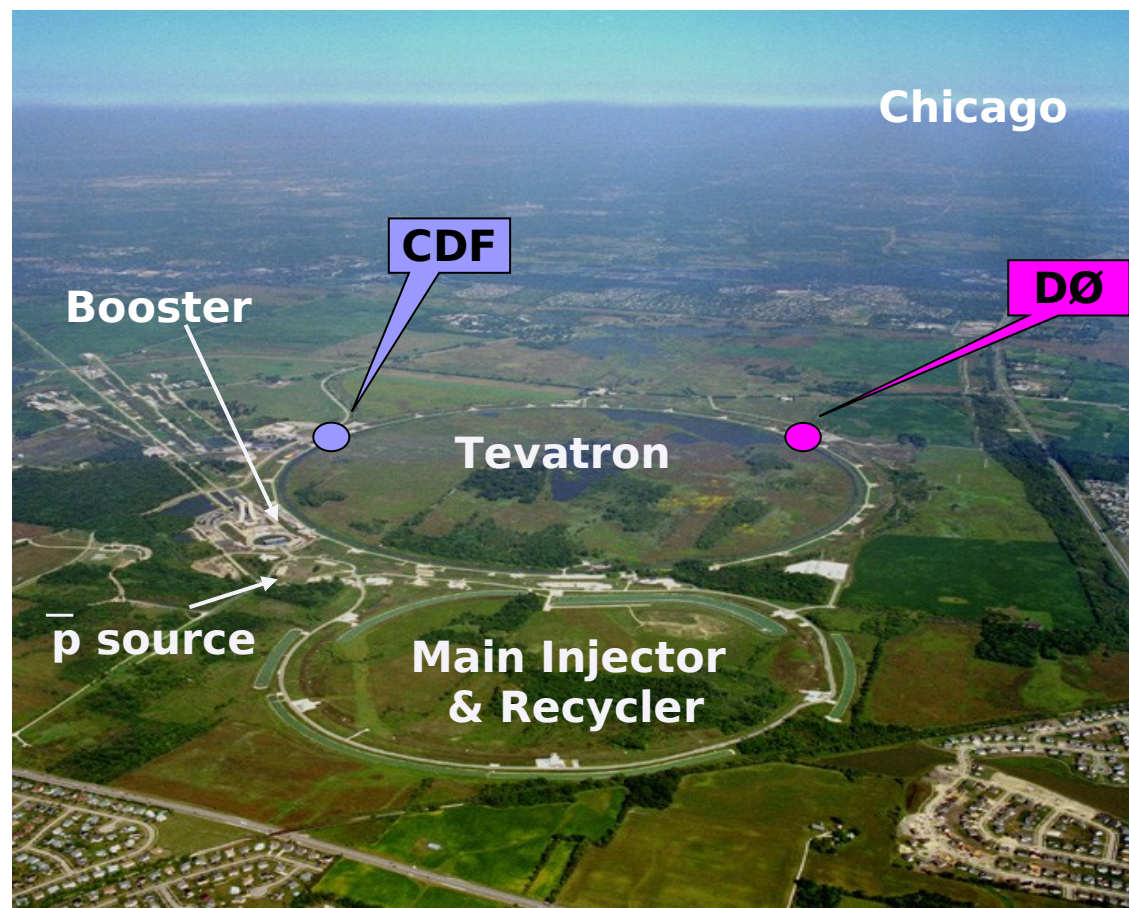
$$\frac{\langle M | H_{\text{eff}}^{\text{full}} | \bar{M} \rangle}{\langle M | H_{\text{eff}}^{\text{SM}} | \bar{M} \rangle} = C_M e^{2i\phi_M}$$

Experimentally-dominated uncertainty. This measurement is today's topic



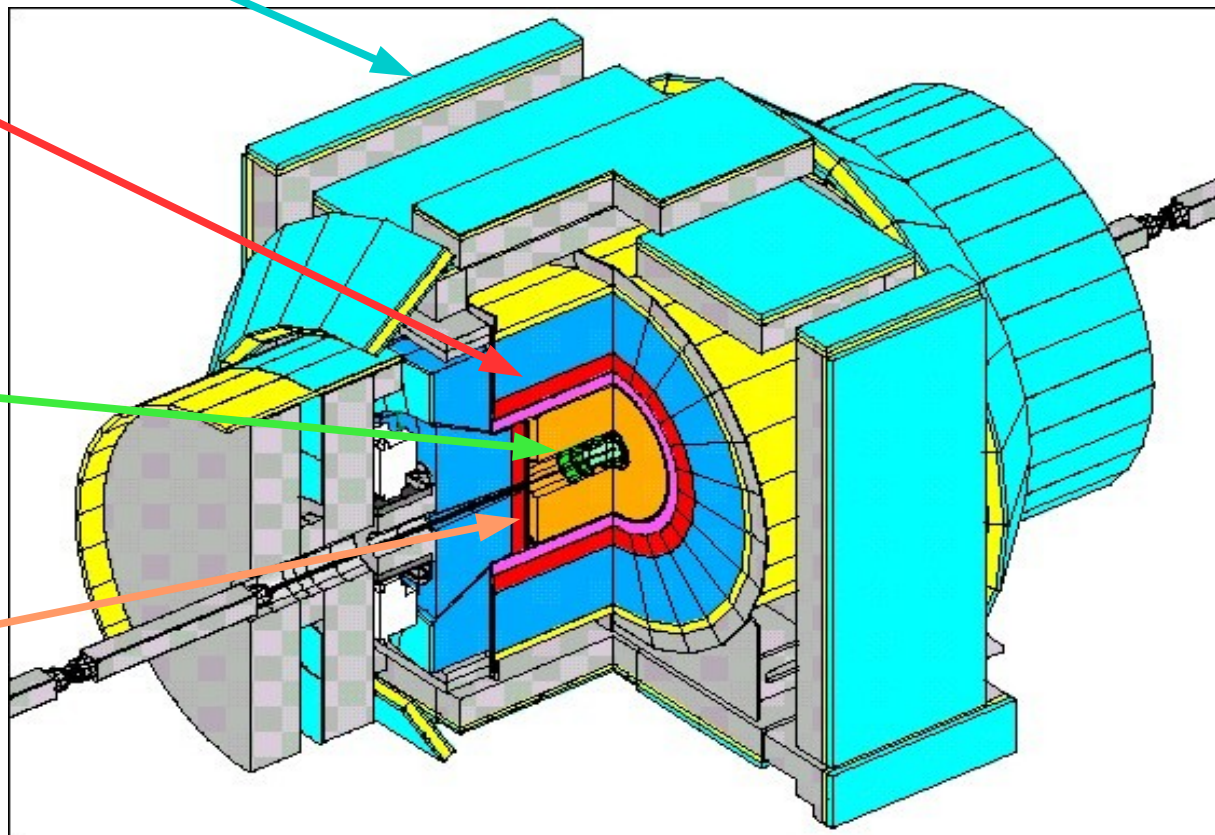
Tevatron + CDF = *b*-hadron factory

- Tevatron: $p\bar{p}$ collisions at $1.96 \text{ GeV}/c^2$
- All species of *b*-hadrons produced! (B^+ , B^0 , B_s , B_c , Λ_b , Ξ_b , $\Sigma_b \dots$)
- performs really well: $\sim 3 \text{ fb}^{-1}$ data on tape



Relevant subsystems of CDF

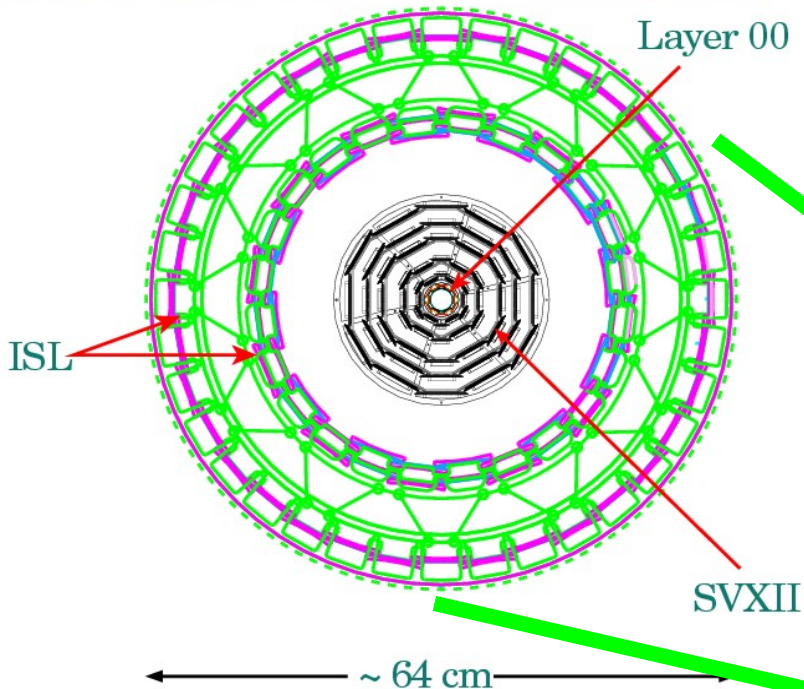
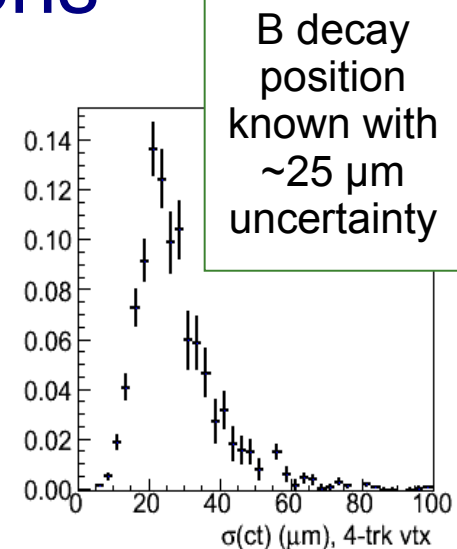
- muons (for B reconstruction) up to $|\eta| < 1$ (high- η muons used for flavor tagging)
- central electrons used for flavor tagging
- CDF has excellent tracking:
 - d_0 resolution (needed for B physics)
 - p_T resolution (needed to measure masses)



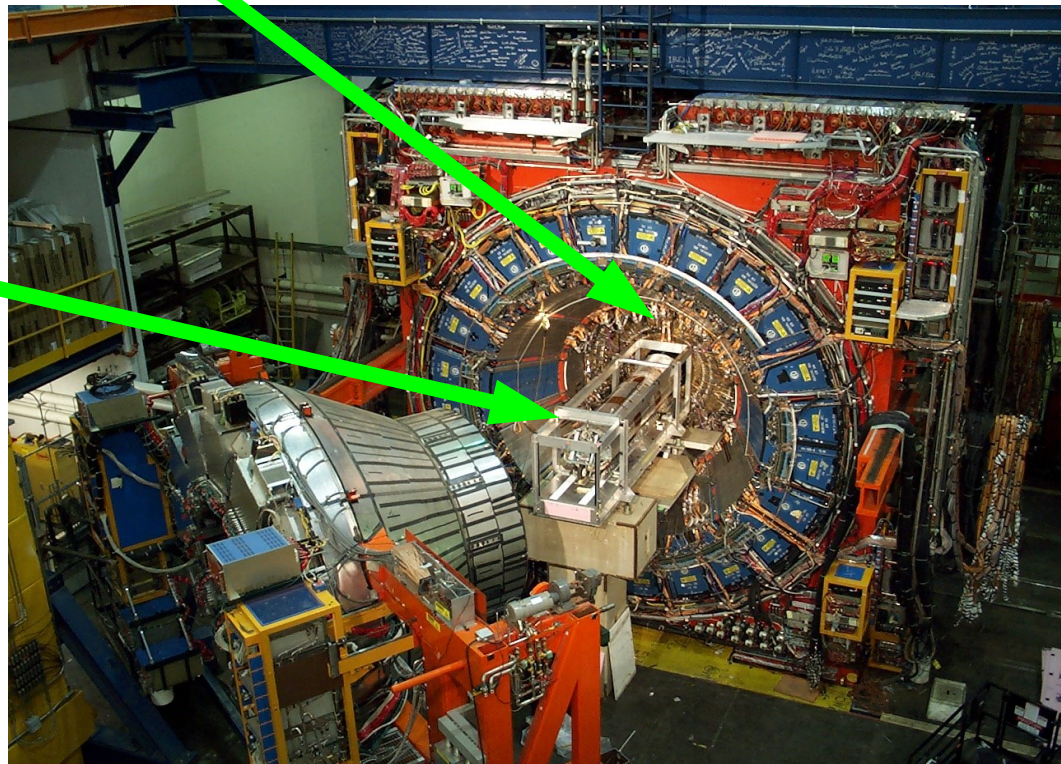
Reconstructing heavy hadrons

- b-quarks CDF can reconstruct are boosted sideways

- $ct = L_{xy} (m/p_T)$



- Decays of hadrons with b and c quarks can be observed with a **Silicon Detector**



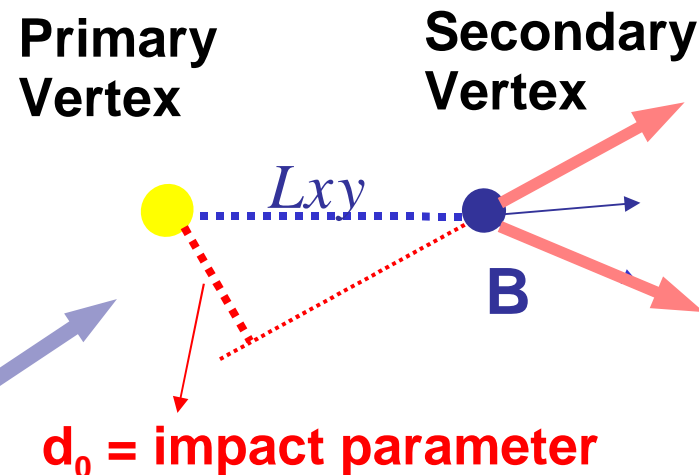
Mining b 's from mountains of junk!

- Production rate of b -quarks is very large...
but rate of (uninteresting) soft QCD is 1000x larger!
- b -physics program lives and dies by the “trigger system”

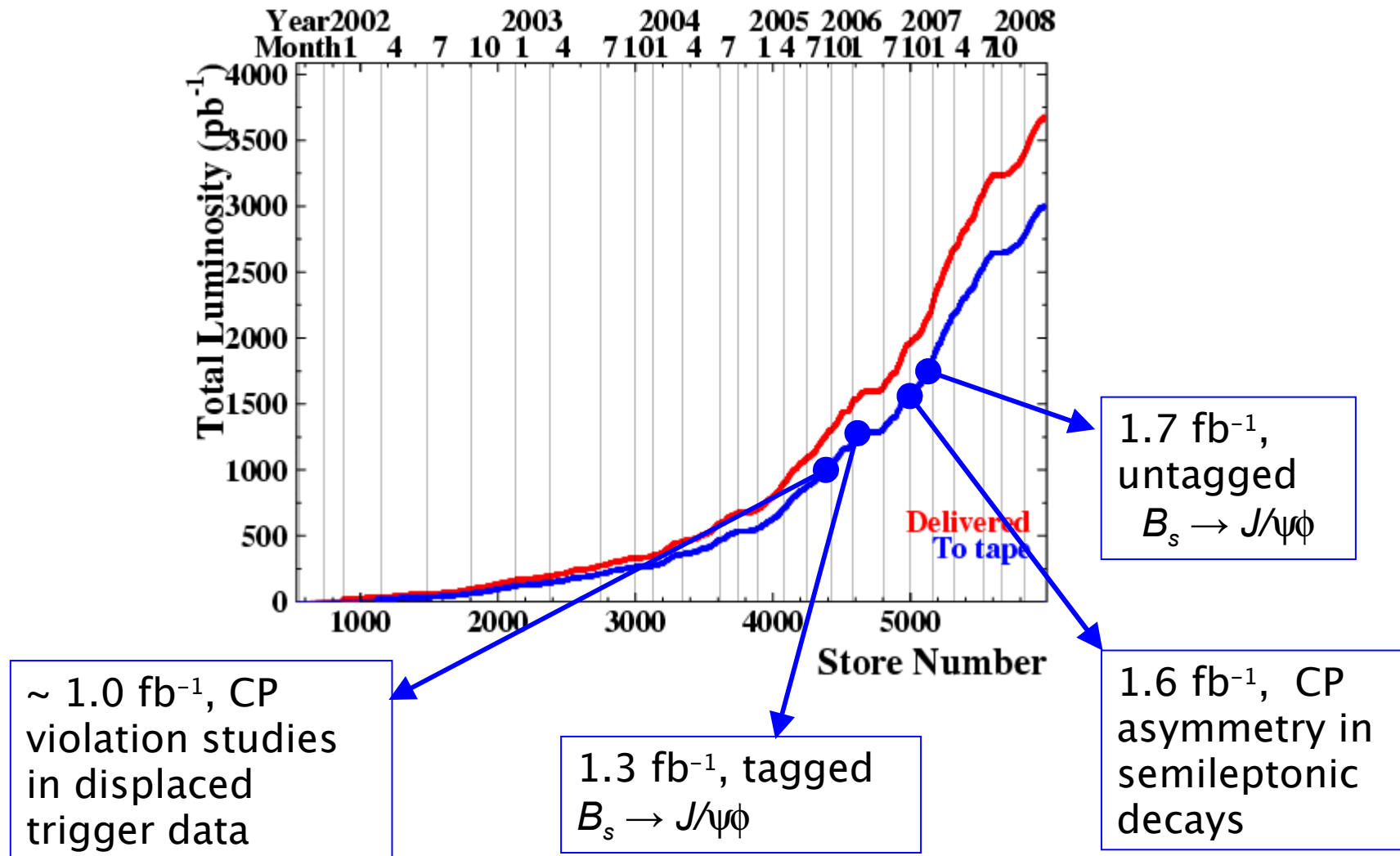
- very fast electronics
- examines events in real time
- decides to keep some events
e.g. those with

- 2 muons
- e or μ + 1 displaced track
- 2 displaced tracks
(fully hadronic!)

- *Silicon Vertex Trigger* (SVT) – part of trigger system that finds displaced tracks and triggers on heavy hadrons



CDF data used in these analyses



Neutral B_s System

- Time evolution of B_s flavor eigenstates described by Schrodinger equation:

$$i \frac{d}{dt} \begin{pmatrix} |B_s^0(t)\rangle \\ |\bar{B}_s^0(t)\rangle \end{pmatrix} = \left(\mathbf{M} - \frac{i}{2} \mathbf{\Gamma} \right) \begin{pmatrix} |B_s^0(t)\rangle \\ |\bar{B}_s^0(t)\rangle \end{pmatrix}$$

- Diagonalize mass (\mathbf{M}) and decay ($\mathbf{\Gamma}$) matrices

→ mass eigenstates

$$|B_s^H\rangle = p |B_s^0\rangle - q |\bar{B}_s^0\rangle \quad |B_s^L\rangle = p |B_s^0\rangle + q |\bar{B}_s^0\rangle$$

where $q/p = \frac{V_{tb} V_{ts}^*}{V_{tb}^* V_{ts}}$

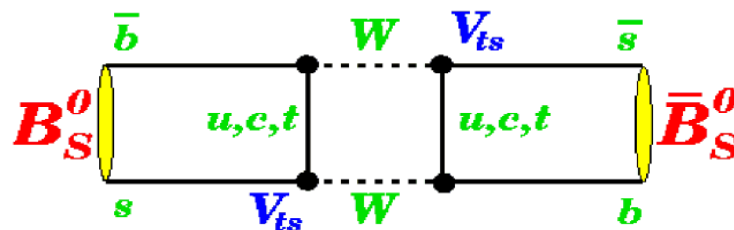
mass eigenvalues are different ($\Delta m_s = m_H - m_L \approx 2|M_{12}|$)

→ B_s oscillates with frequency Δm_s

- Precisely measured by

CDF $\Delta m_s = 17.77 \pm 0.12 \text{ ps}^{-1}$

DØ $\Delta m_s = 18.56 \pm 0.87 \text{ ps}^{-1}$



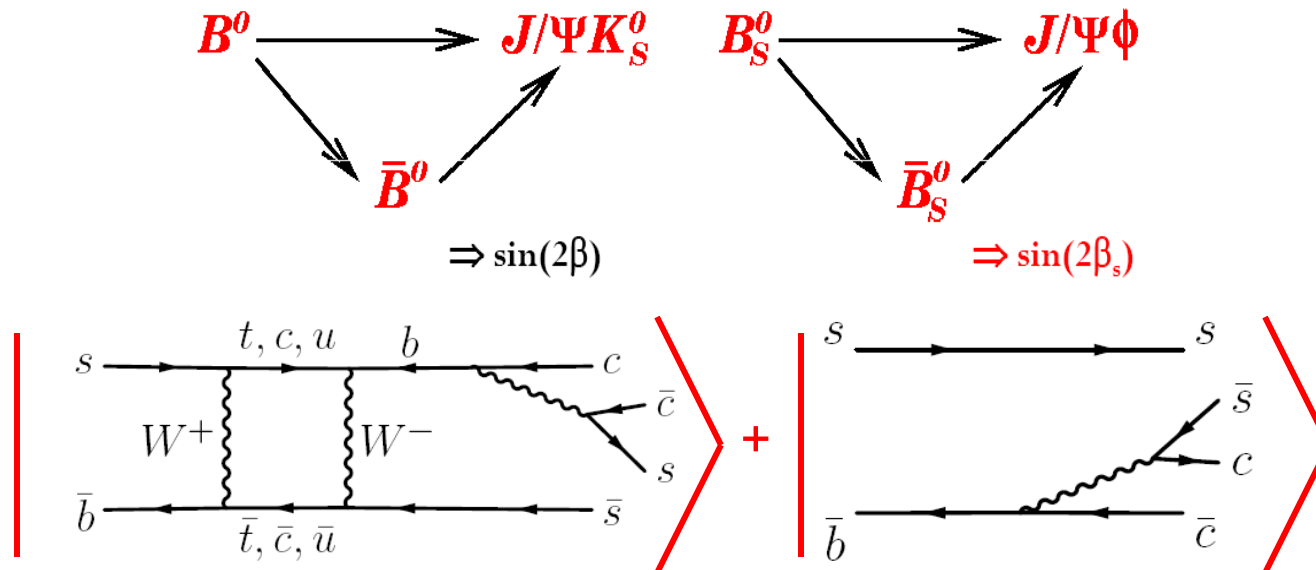
- Mass eigenstates have different decay widths

$$\Delta\Gamma = \Gamma_L - \Gamma_H \approx 2|\Gamma_{12}| \cos(\phi_s) \quad \text{where}$$

$$\phi_s^{SM} = \arg \left(-\frac{M_{12}}{\Gamma_{12}} \right) \approx 4 \times 10^{-3}$$

CP violation in $B_s \rightarrow J/\psi\phi$ decays

- Analogously to the neutral B^0 system, CP violation in B_s system occurs through interference of decay with and without mixing:



- β_s in SM is predicted to be very small: $\beta_s^{\text{SM}} = \arg(-V_{ts}V_{tb}^*/V_{cs}V_{cb}^*) \approx 0.02$

- New Physics affects the CP violation phase $2\beta_s = 2\beta_s^{\text{SM}} - \phi_s^{\text{NP}}$

- If NP phase ϕ_s^{NP} dominates $\rightarrow 2\beta_s = -\phi_s^{\text{NP}}$

$B_s \rightarrow J/\psi \phi$ phenomenology

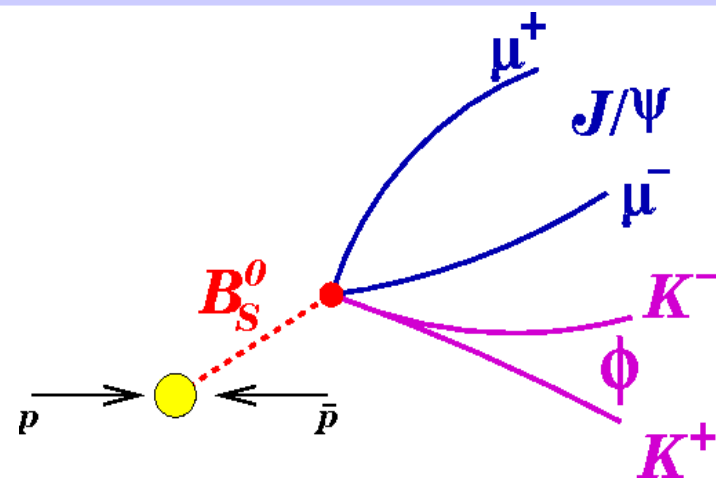
- Extremely rich physics
- Can measure lifetime, decay width, and, using known Δm_s , CP violating phase β_s

- B_s (spin 0) $\rightarrow J/\psi$ (spin 1) ϕ (spin 1) \Rightarrow

3 different angular momentum final states:

$L = 0$ (s-wave), $L = 2$ (d-wave) \rightarrow CP even

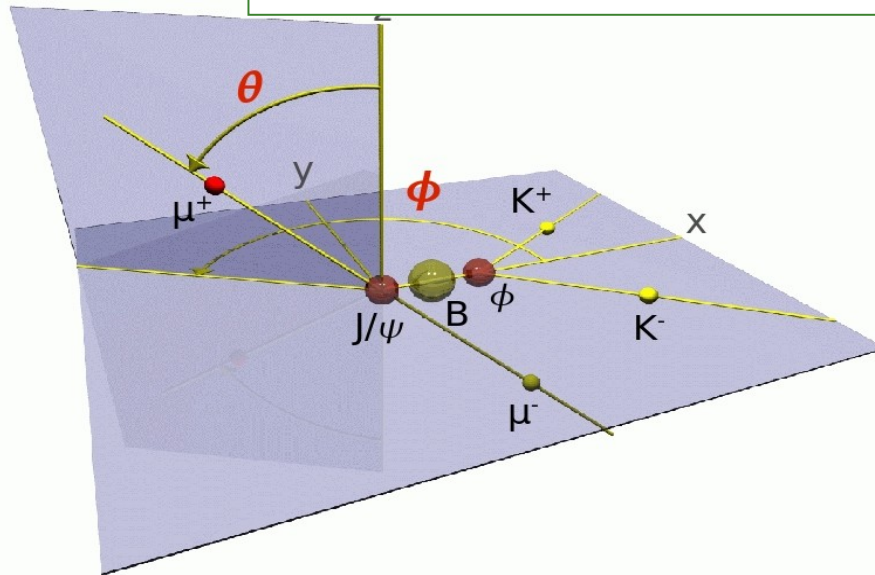
$L = 1$ (p-wave) \rightarrow CP odd



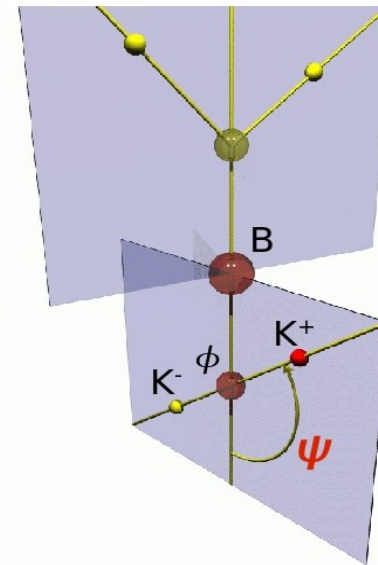
- Three angular momentum states form a basis for the final $J/\psi \phi$ state
- Use alternative “transversity basis” in which the vector meson polarizations w.r.t. direction of motion are either:
 - **longitudinal (0)** \rightarrow **CP even**
 - **transverse (\parallel parallel to each other)** \rightarrow **CP even**
 - **transverse (\perp perpendicular to each other)** \rightarrow **CP odd**

“Transversity” Basis

Two different reference frames



J/ψ at rest



ϕ at rest

Decay amplitude decomposed (in terms of linear polarization) when J/ψ and ϕ are

A_0 : longitudinally polarized (CP-even)

$A_{||}$: transversely polarized and \parallel to each other (CP-even)

A_{\perp} : transversely polarized and \perp to each other (CP-odd)

=> 3 angles describe directions of final decay products $\rho = \rho(\cos\theta, \phi, \cos\psi)$

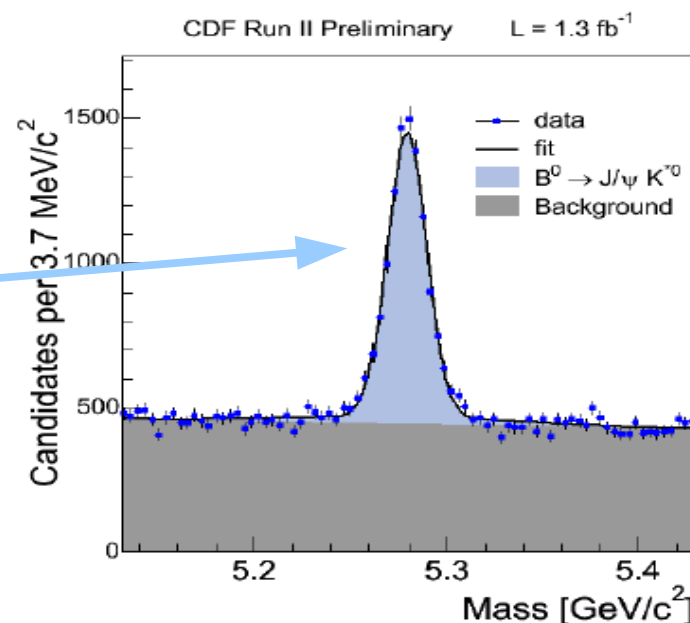
“Strong” phases: $\delta_{\perp} = \arg[A_{\perp}^* A_0]$, $\delta_{||} = \arg[A_{||}^* A_0]$,

$B_s \rightarrow J/\psi \phi$ phenomenology

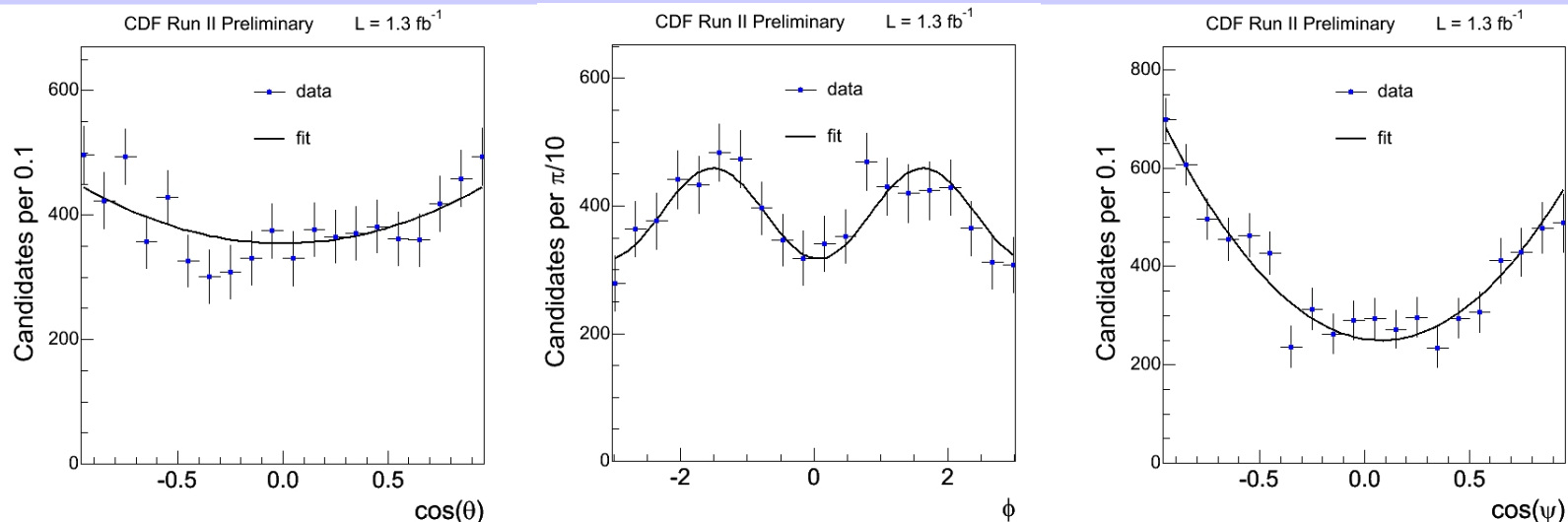
- Good approximation: $\phi_s \approx 0$
 \Rightarrow mass eigenstates $|B_s^L\rangle$ and $|B_s^H\rangle$ are CP eigenstates
 - \rightarrow use angular information to separate heavy and light states
 - \rightarrow determine decay width difference

$$\Delta\Gamma = \Gamma_L - \Gamma_H$$
 - \rightarrow some sensitivity to CP violating phase β_s
- Determine B_s flavor at production (flavor tagging)
 - \rightarrow improve sensitivity to β_s

- Cross-check procedure for angular decomposition on $B^0 \rightarrow J/\psi K^{*0}$ (~ 7800 events from 1.3 fb^{-1})



Check amplitude decomposition on $B^0 \rightarrow J/\psi K^{*0}$



- In agreement (*and competitive with*) the latest BaBar and Belle result:
e.g., BaBar: PRD 76,031102 (2007)

$$c\tau = 456 \pm 6 \text{ (stat)} \pm 6 \text{ (syst)} \mu\text{m}$$

$$|A_0(0)|^2 = 0.569 \pm 0.009 \text{ (stat)} \pm 0.009 \text{ (syst)}$$

$$|A_{\parallel}(0)|^2 = 0.211 \pm 0.012 \text{ (stat)} \pm 0.006 \text{ (syst)}$$

$$\delta_{\parallel} = -2.96 \pm 0.08 \text{ (stat)} \pm 0.03 \text{ (syst)}$$

$$\delta_{\perp} = 2.97 \pm 0.06 \text{ (stat)} \pm 0.01 \text{ (syst)}$$

$$|A_0(0)|^2 = 0.556 \pm 0.009 \text{ (stat)} \pm 0.010 \text{ (syst)}$$

$$|A_{\parallel}(0)|^2 = 0.211 \pm 0.010 \text{ (stat)} \pm 0.006 \text{ (syst)}$$

$$\delta_{\parallel} = -2.93 \pm 0.08 \text{ (stat)} \pm 0.04 \text{ (syst)}$$

$$\delta_{\perp} = 2.91 \pm 0.05 \text{ (stat)} \pm 0.03 \text{ (syst)}$$

Decay PDF for B_s^0 and \bar{B}_s^0

$$\begin{aligned}
 \frac{d^4 P(t, \vec{\rho})}{dt d\vec{\rho}} &\propto |A_0|^2 \mathcal{T}_+ f_1(\vec{\rho}) + |A_{\parallel}|^2 \mathcal{T}_+ f_2(\vec{\rho}) \\
 &+ |A_{\perp}|^2 \mathcal{T}_- f_3(\vec{\rho}) + |A_{\parallel}| |A_{\perp}| \mathcal{U}_+ f_4(\vec{\rho}) \\
 &+ |A_0| |A_{\parallel}| \cos(\delta_{\parallel}) \mathcal{T}_+ f_5(\vec{\rho}) \\
 &+ |A_0| |A_{\perp}| \mathcal{V}_+ f_6(\vec{\rho}),
 \end{aligned}$$

B_s^0 term

$A_0, A_{\parallel}, A_{\perp}$:
transition
amplitudes in a
given polarization
state at time 0

$$\begin{aligned}
 \frac{d^4 \bar{P}(t, \vec{\rho})}{dt d\vec{\rho}} &\propto |A_0|^2 \mathcal{T}_+ f_1(\vec{\rho}) + |A_{\parallel}|^2 \mathcal{T}_+ f_2(\vec{\rho}) \\
 &+ |A_{\perp}|^2 \mathcal{T}_- f_3(\vec{\rho}) + |A_{\parallel}| |A_{\perp}| \mathcal{U}_- f_4(\vec{\rho}) \\
 &+ |A_0| |A_{\parallel}| \cos(\delta_{\parallel}) \mathcal{T}_+ f_5(\vec{\rho}) \\
 &+ |A_0| |A_{\perp}| \mathcal{V}_- f_6(\vec{\rho}),
 \end{aligned}$$

anti- B_s^0

$f(\rho)$: angular
distribution for a
given polarization
state

Time Evolution with Flavor Tagging

$$\mathcal{T}_{\pm} = e^{-\Gamma t} \times [\cosh(\Delta\Gamma t/2) \mp \cos(2\beta_s) \sinh(\Delta\Gamma t/2) \\ \mp \eta \sin(2\beta_s) \sin(\Delta m_s t)],$$

$$\mathcal{U}_{\pm} = \pm e^{-\Gamma t} \times [\sin(\delta_{\perp} - \delta_{\parallel}) \cos(\Delta m_s t) \\ - \cos(\delta_{\perp} - \delta_{\parallel}) \cos(2\beta_s) \sin(\Delta m_s t) \\ \pm \cos(\delta_{\perp} - \delta_{\parallel}) \sin(2\beta_s) \sinh(\Delta\Gamma t/2)],$$

$$\mathcal{V}_{\pm} = \pm e^{-\Gamma t} \times [\sin(\delta_{\perp}) \cos(\Delta m_s t) \\ - \cos(\delta_{\perp}) \cos(2\beta_s) \sin(\Delta m_s t) \\ \pm \cos(\delta_{\perp}) \sin(2\beta_s) \sinh(\Delta\Gamma t/2)].$$

β_s sensitivity

CDF result as input

Step #1: “untagged” $B_s \rightarrow J/\psi \phi$ analysis

- “Untagged” = No flavor tagging information

- Sum up B_s^0 and anti- B_s^0 PDF equally

- Many terms cancel

$$\mathcal{T}_{\pm} = e^{-\Gamma t} \times [\cosh(\Delta\Gamma t/2) \mp \cos(2\beta_s) \sinh(\Delta\Gamma t/2) \mp \eta \sin(2\beta_s) \sin(\Delta m_s t)] ,$$

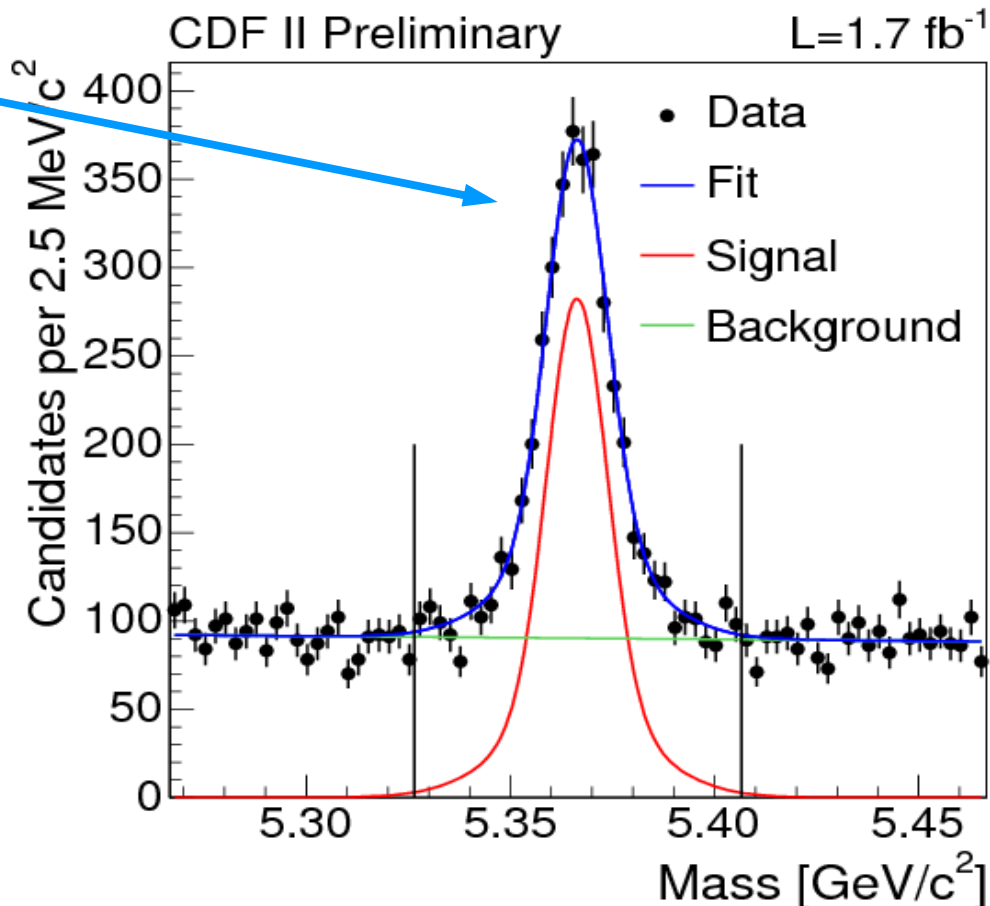
$$\mathcal{U}_{\pm} = \pm e^{-\Gamma t} \times [\sin(\delta_{\perp} - \delta_{\parallel}) \cos(\Delta m_s t) - \cos(\delta_{\perp} - \delta_{\parallel}) \cos(2\beta_s) \sin(\Delta m_s t) \pm \cos(\delta_{\perp} - \delta_{\parallel}) \sin(2\beta_s) \sinh(\Delta\Gamma t/2)] ,$$

$$\mathcal{V}_{\pm} = \pm e^{-\Gamma t} \times [\sin(\delta_{\perp}) \cos(\Delta m_s t) - \cos(\delta_{\perp}) \cos(2\beta_s) \sin(\Delta m_s t) \pm \cos(\delta_{\perp}) \sin(2\beta_s) \sinh(\Delta\Gamma t/2)] .$$

- Suited for precise measurement of $\Delta\Gamma$ and τ
- Still sensitive to β_s

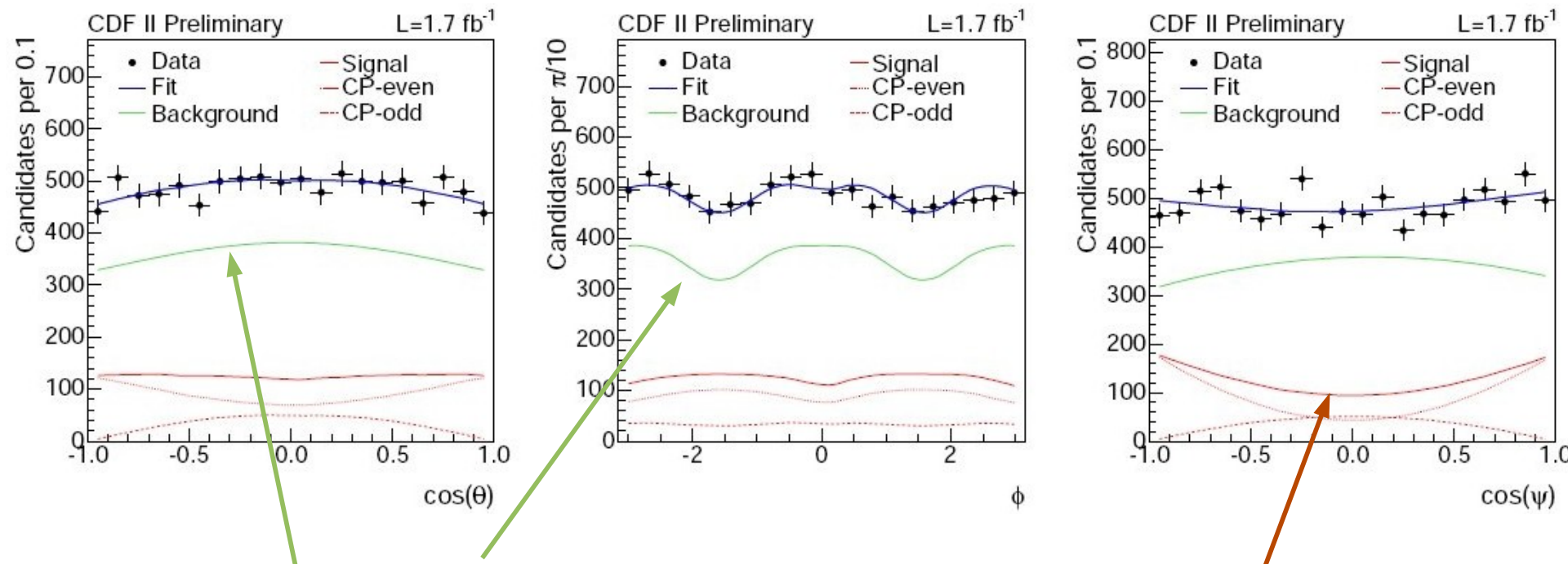
$B_s \rightarrow J/\psi \phi$ sample for untagged analysis

- ~ 2500 signal events in 1.7 fb⁻¹
- Assume no CP violation (*i.e.* $\beta_s = 0$)
- Most precise measurement of the B_s lifetime to date
- Confirms $\tau_s \sim \tau_d$



$$\tau_s = 1.52 \pm 0.04 \text{ (stat)} \pm 0.02 \text{ (syst) ps}$$

$B_s \rightarrow J/\psi \phi$ untagged: angle projections



- Comb. bkg is high = this is whole mass region
- Completely pinned down by data from sidebands
- (Sideband-subtracted data agree well with **signal PDF**)

$\Delta\Gamma_s$ (B_s decay width)

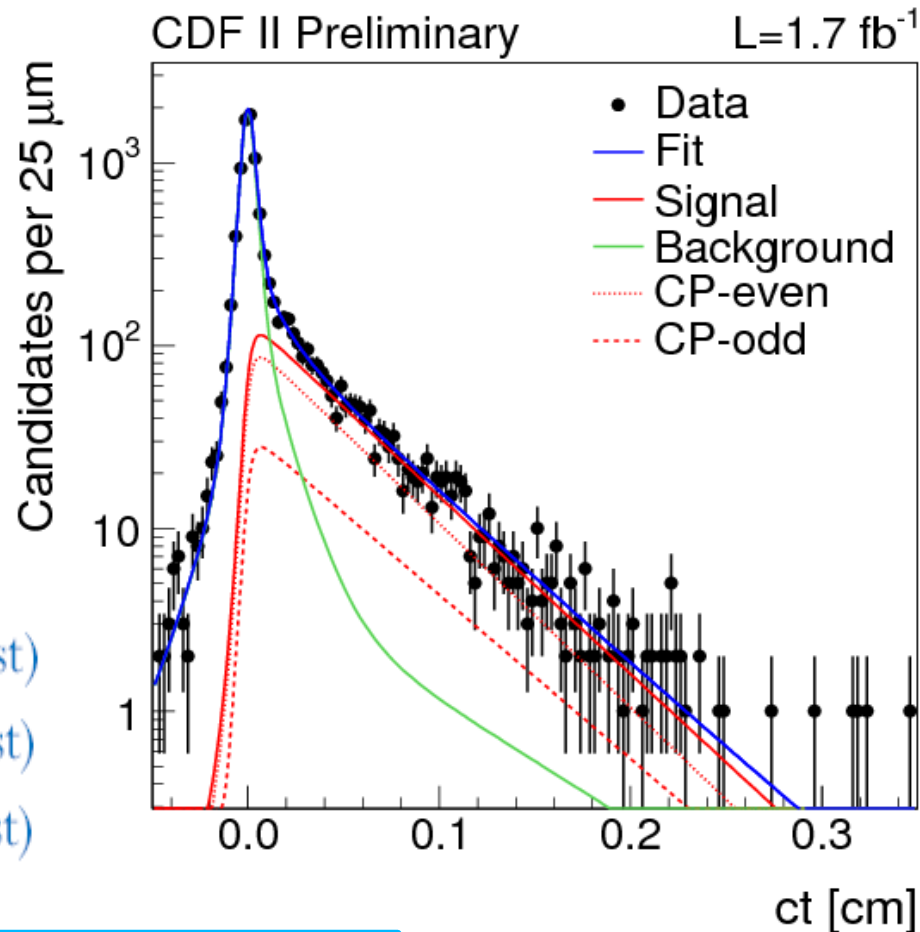
- CP-even ($\approx B_s^{\text{light}}$) and CP-odd ($\approx B_s^{\text{heavy}}$) components have different lifetimes $\rightarrow \Delta\Gamma \neq 0$
- In agreement and 30-50% better than previous best measurements (DØ, 2007) and 2x better than PDG

$$|A_0(0)|^2 = 0.531 \pm 0.020 \text{ (stat)} \pm 0.007 \text{ (syst)}$$

$$|A_{\parallel}(0)|^2 = 0.230 \pm 0.026 \text{ (stat)} \pm 0.009 \text{ (syst)}$$

$$|A_{\perp}(0)|^2 = 0.239 \pm 0.029 \text{ (stat)} \pm 0.011 \text{ (syst)}$$

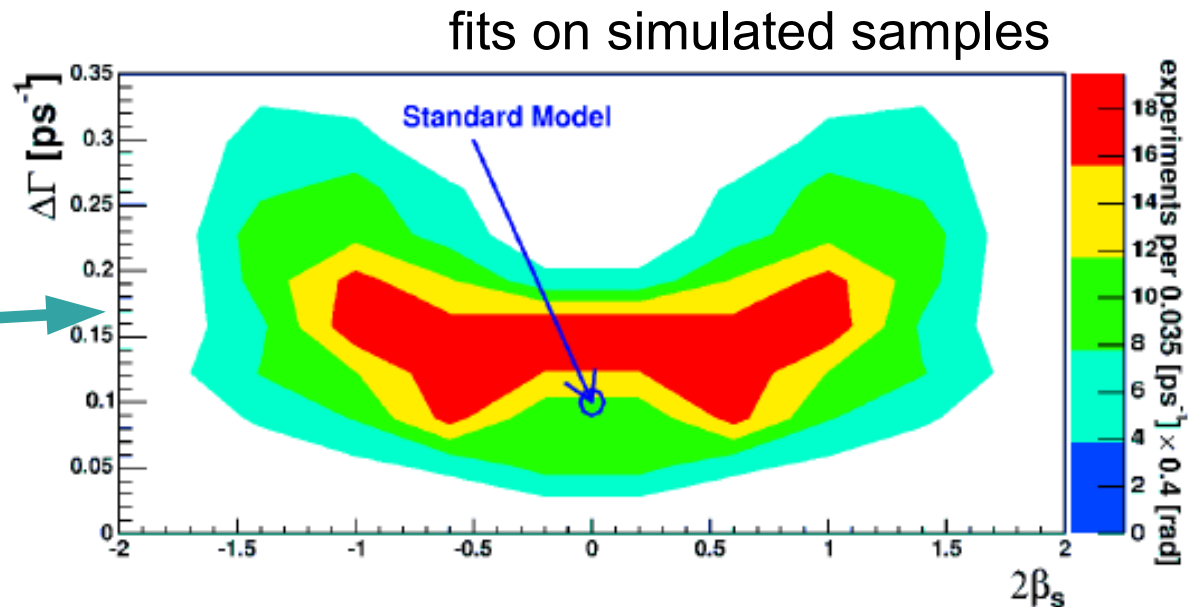
$$\Delta\Gamma = 0.08 \pm 0.06 \text{ (stat)} \pm 0.01 \text{ (syst)} \text{ ps}^{-1}$$



$B_s \rightarrow J/\psi \phi$ untagged: floating β_s

Even without tagging,
have some sensitivity
to β_s

But, there are **biases**
seen in pseudo
experiments



Reasons:

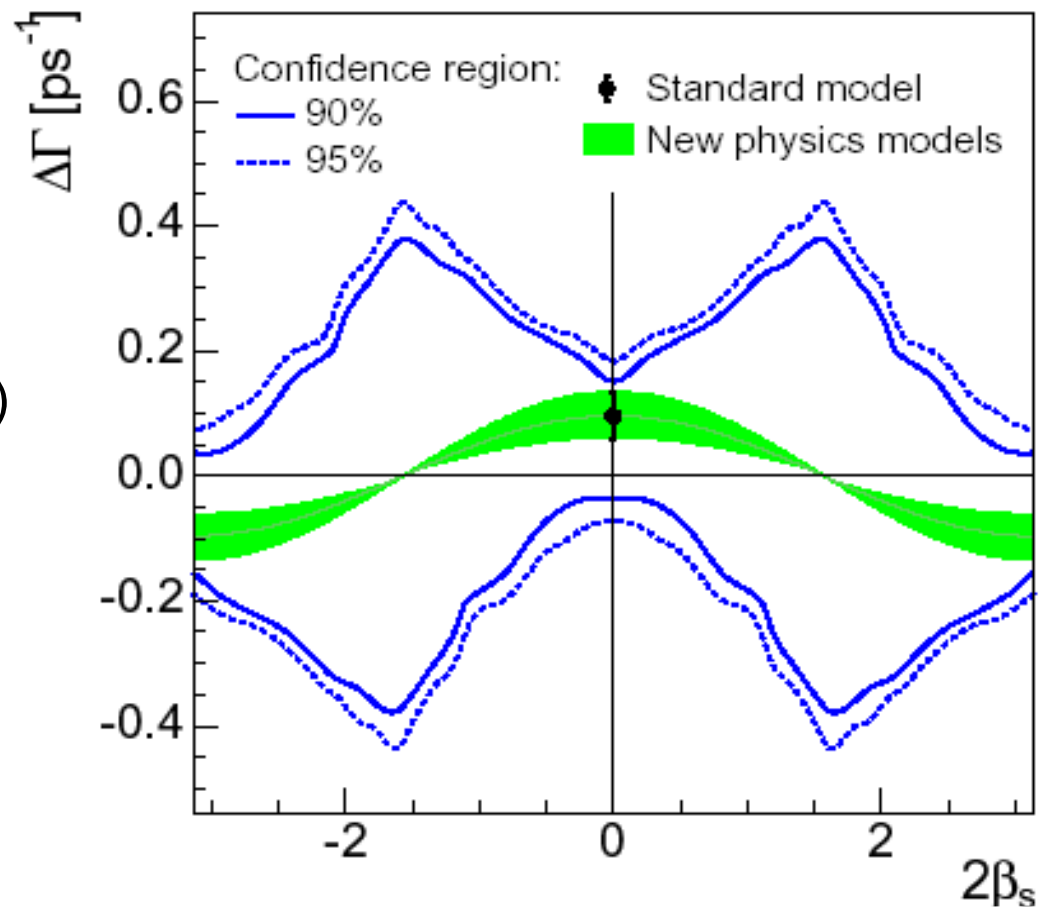
- Loss of degrees of freedom: e.g. when $\Delta\Gamma \rightarrow 0$, δ_\perp is undetermined, no sensitivity to β_s at all: $\cos(\delta_\perp) \sin(2\beta_s) \sinh(\Delta\Gamma t/2)$
- 4-fold ambiguity existed in likelihood function (=> there are 4 equvallent minima!)*

$$2\beta_s \rightarrow -2\beta_s, \delta_\perp \rightarrow \delta_\perp + \pi$$

$$\Delta\Gamma \rightarrow -\Delta\Gamma, 2\beta_s \rightarrow 2\beta_s + \pi$$

Confidence Region without tagging

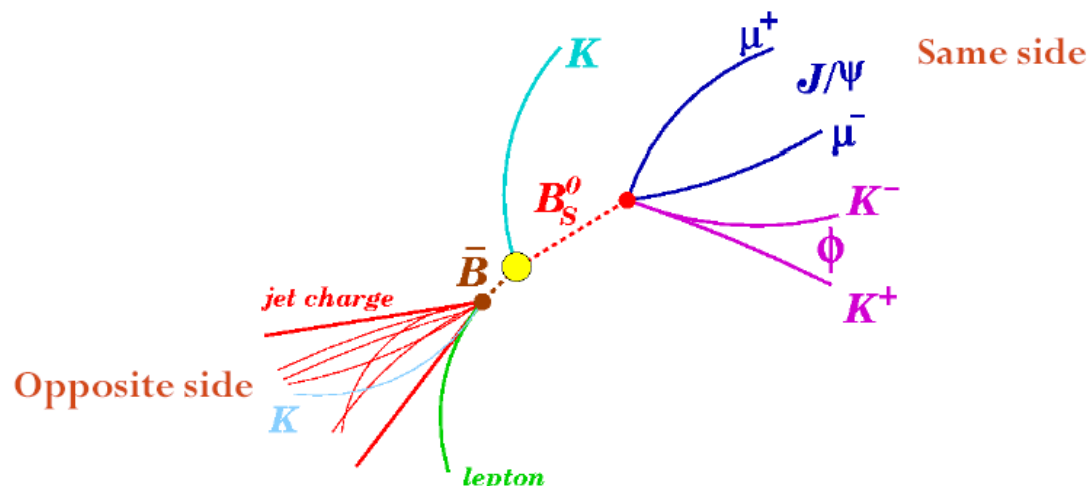
Use Likelihood-Ratio ordering (Feldman-Cousins) to determine Confidence Region in $\beta_s - \Delta\Gamma$ space.



Under assumption of SM, the probability of data fluctuating to our observation or better is 22% or 1.2σ .

Step #2: add flavor tagging

- Flavor tagging produces
 - tag decision
 - this tag's *predicted* dilution (*i.e.* = 1-2w)
- Opposite Side Tagging (OST) calibrated on B^+
- Same Side (Kaon) Tagging calibrated on MC (but checked on mixing measurement)



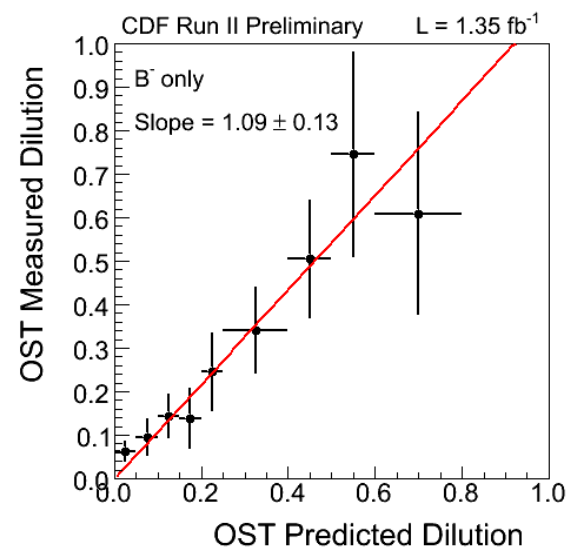
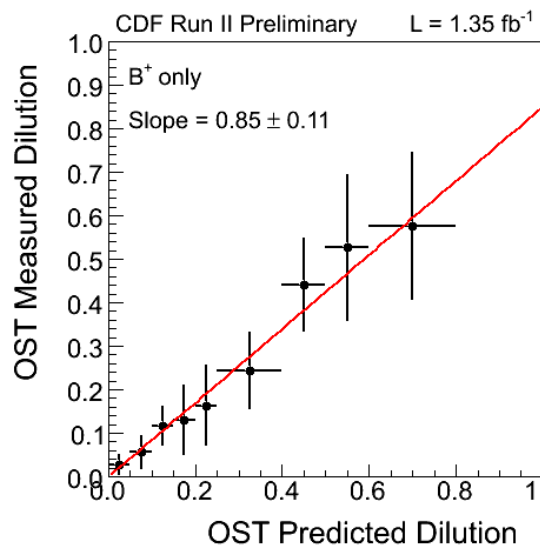
OST efficiency 96 +/- 1%

OST dilution: 11 +/- 2%

SST efficiency 50 +/- 1%

SST dilution 27 +/- 4%

Total $\epsilon D^2 \sim 4.5\%$



Study effect of tagging in Toy MC

- PDF predicts better sensitivity to β_s but still with 2 minima due to symmetry:

$$2\beta_s \rightarrow \pi - 2\beta_s$$

$$\Delta\Gamma \rightarrow -\Delta\Gamma$$

$$\delta_{\parallel} \rightarrow 2\pi - \delta_{\parallel}$$

$$\delta_{\perp} \rightarrow \pi - \delta_{\perp}$$

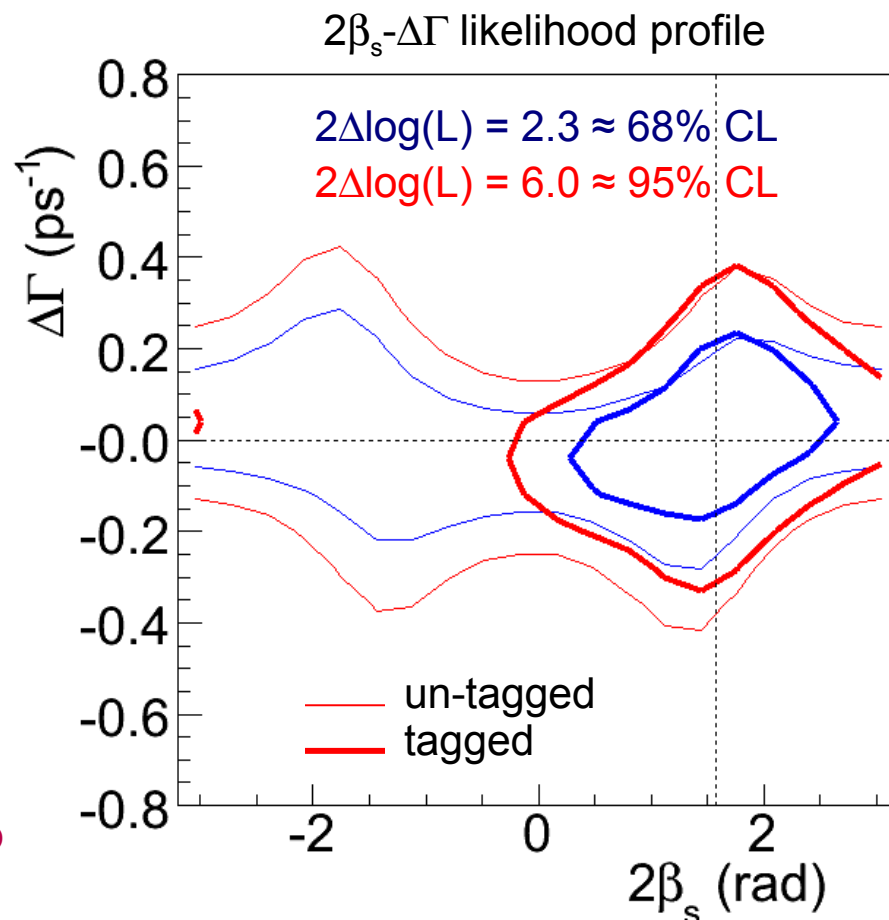
- Improvement of parameter resolution is small due to limited tagging power ($\epsilon D^2 \sim 4.5\%$ vs $\sim 30\%$ at BaBar/Belle)

- However:

$\beta_s \rightarrow -\beta_s$ no longer a symmetry

→ 4-fold ambiguity reduced to 2-fold ambiguity

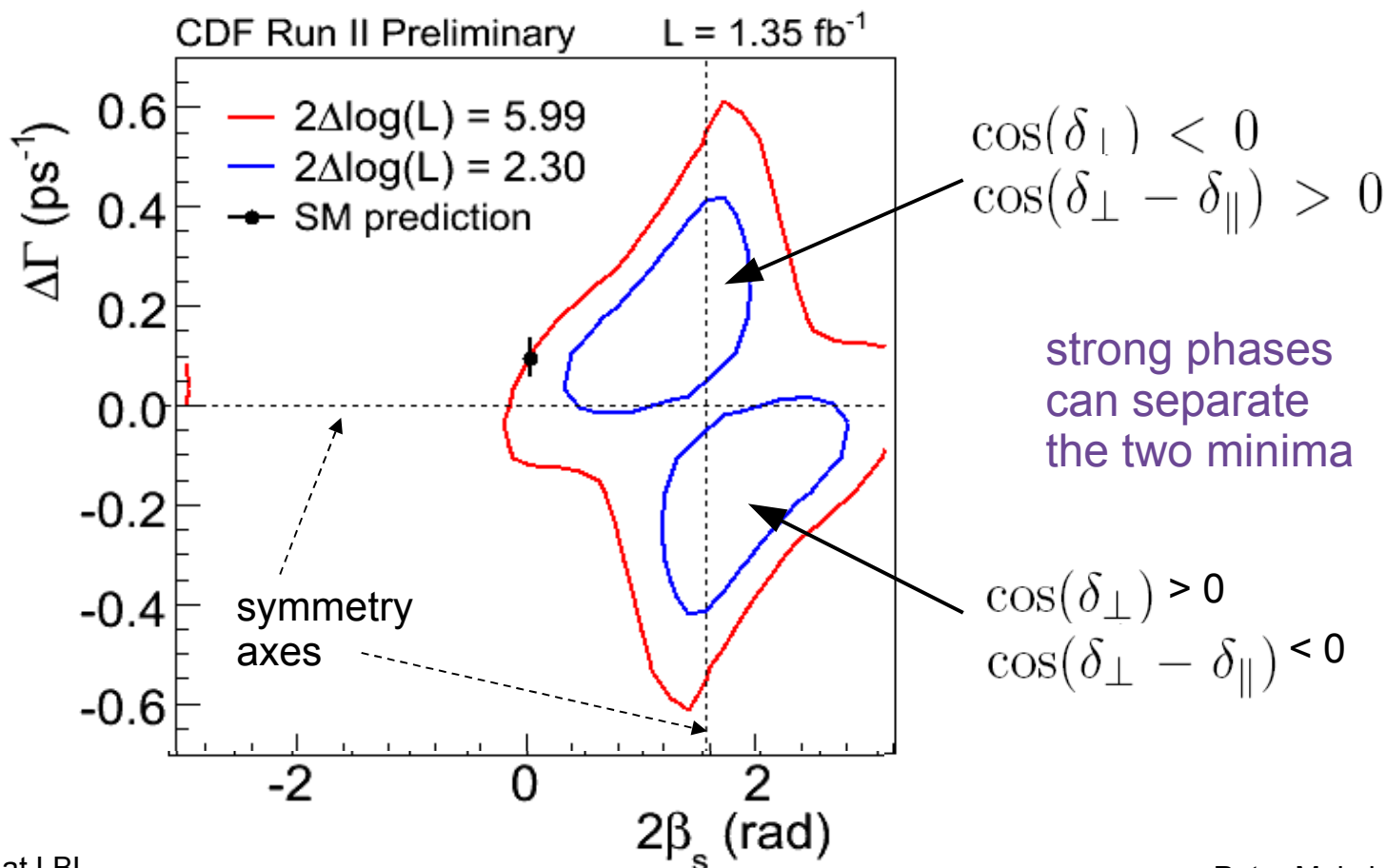
→ **allowed region for β_s is reduced to half!**



Tagged $B_s \rightarrow J/\psi\phi$ analysis

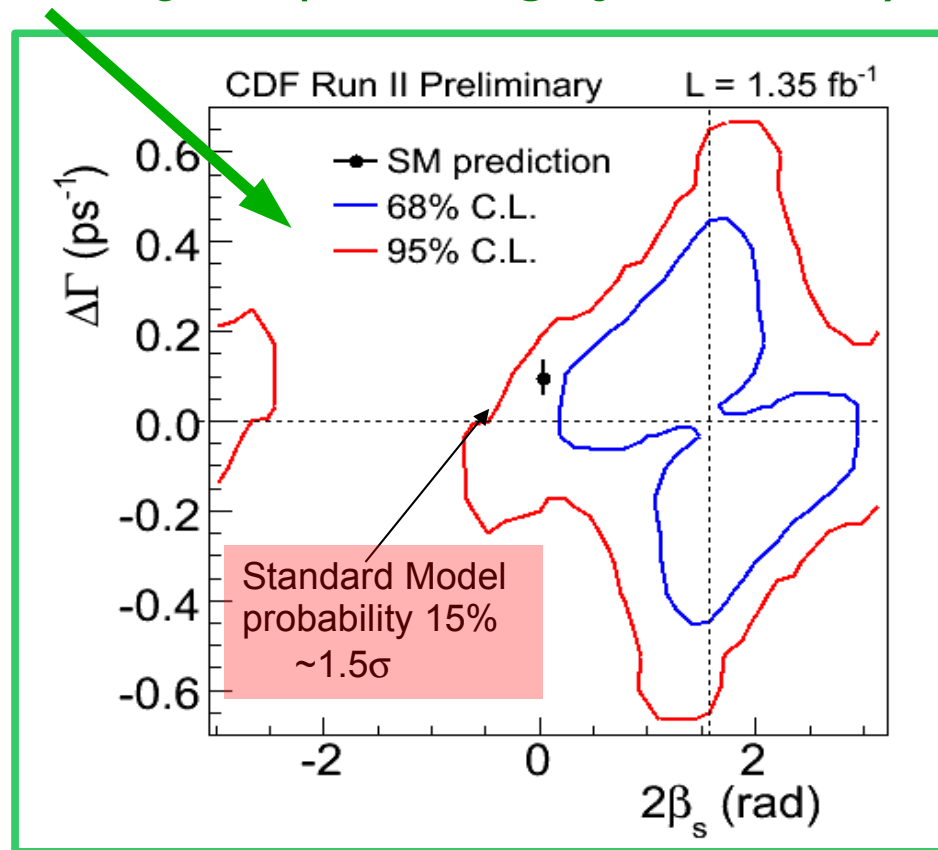
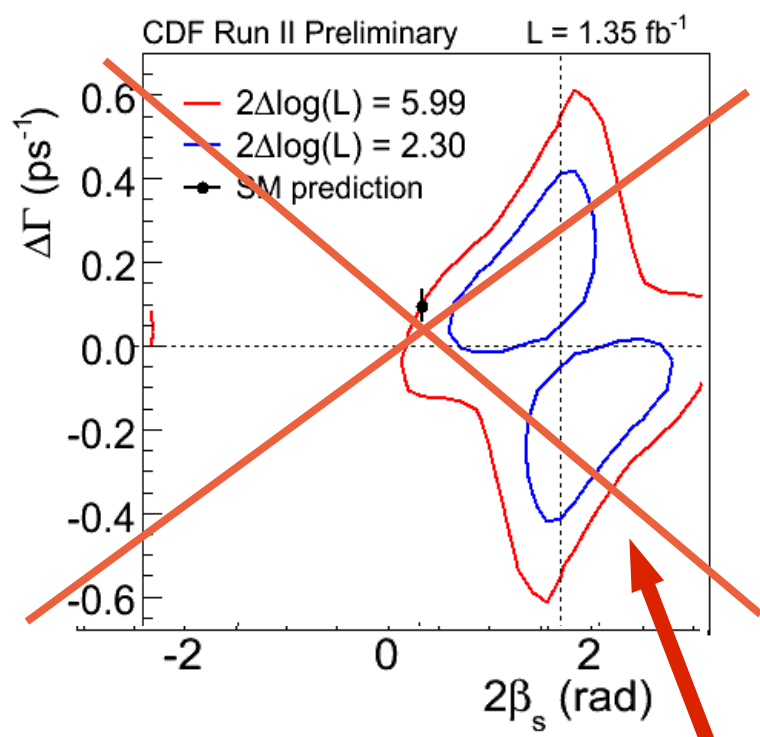


- First tagged analysis of $B_s \rightarrow J/\psi\phi$ (1.4 fb^{-1})
- Signal B_s yield ~ 2000 events with $S/B \sim 1$



Tagged $B_s \rightarrow J/\psi \phi$ analysis

- As in untagged: irregular likelihood doesn't allow quoting point estimate
- Quote **Feldman-Cousins confidence regions (including systematics!)**

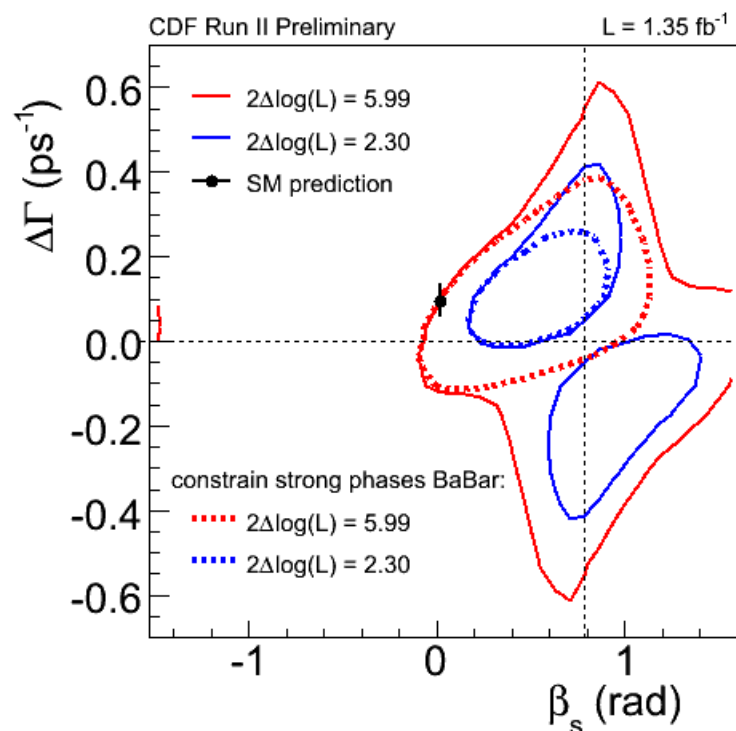


- Confidence regions are underestimated when using $2\Delta\log L = 2.3$ (6.0) to approximate 68% (95%) C.L. regions

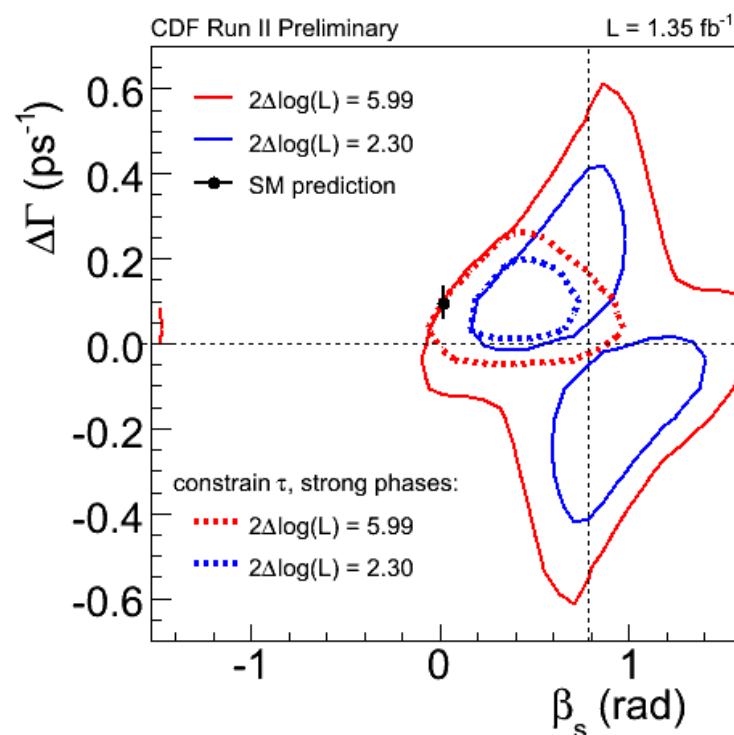
β_s with external constraints

- Spectator model: B_s and B^0 have similar lifetimes and strong phases
- Likelihood profiles with external constraints from B factories:

constrain strong phases to B^0 :



constrain lifetime and strong phases:



- External constraints on strong phases remove residual 2-fold ambiguity

β_s : 1-Dimensional Feldman-Cousins results

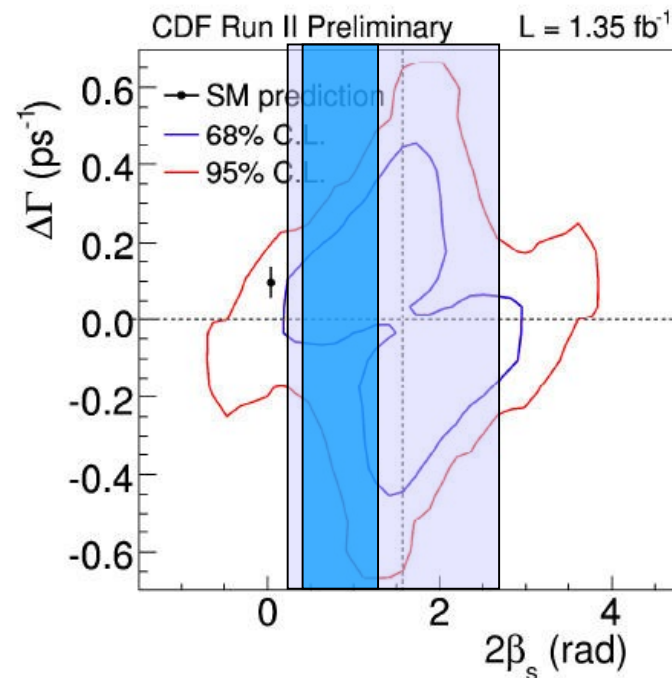
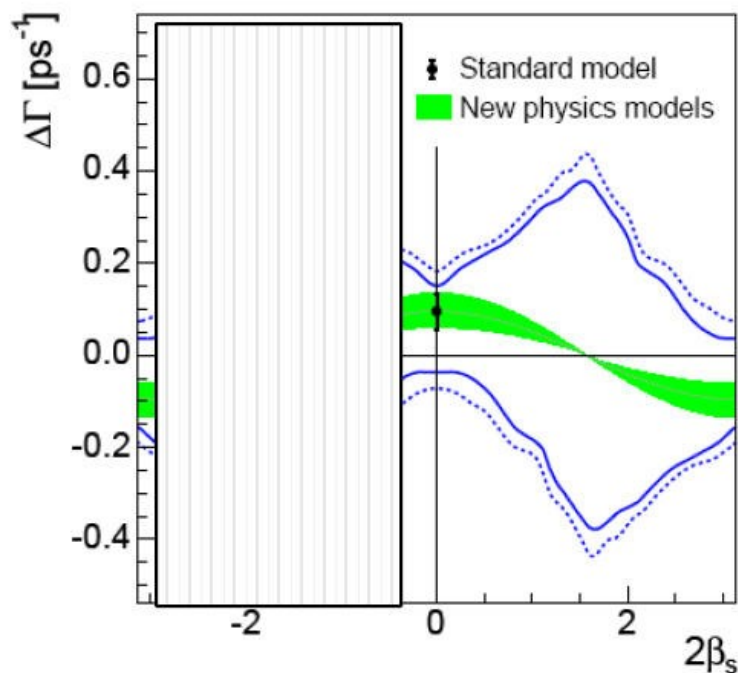
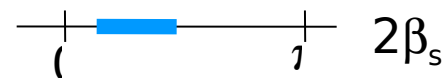
- 1D Feldman-Cousins procedure without external constraints:

$2\beta_s$ in $[0.32, 2.82]$ at the 68% C.L.

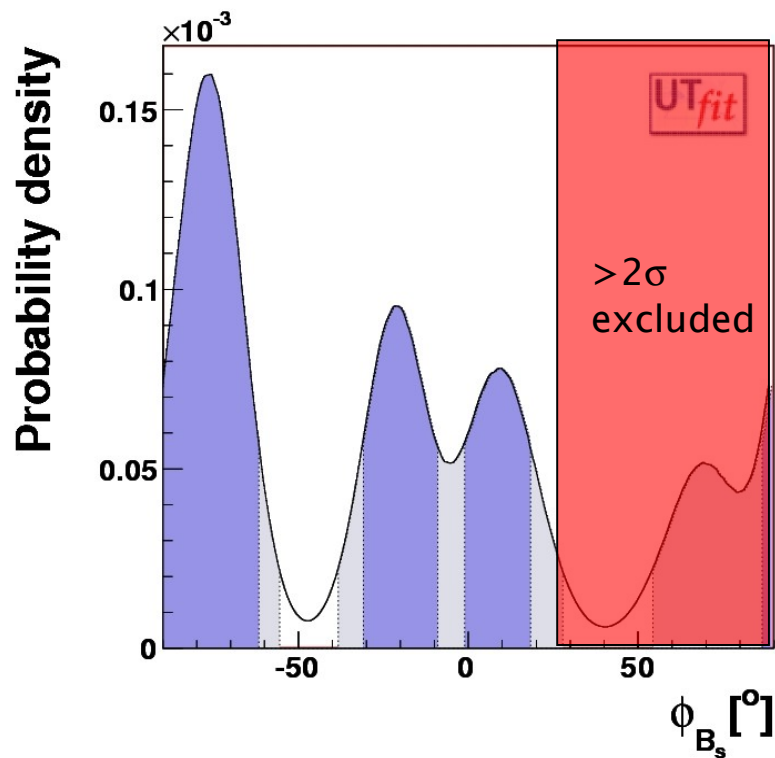


- 1D Feldman-Cousins with external constraints on strong phases, lifetime and $|\Gamma_{12}| = 0.048 \pm 0.018 \text{ ps}^{-1}$:

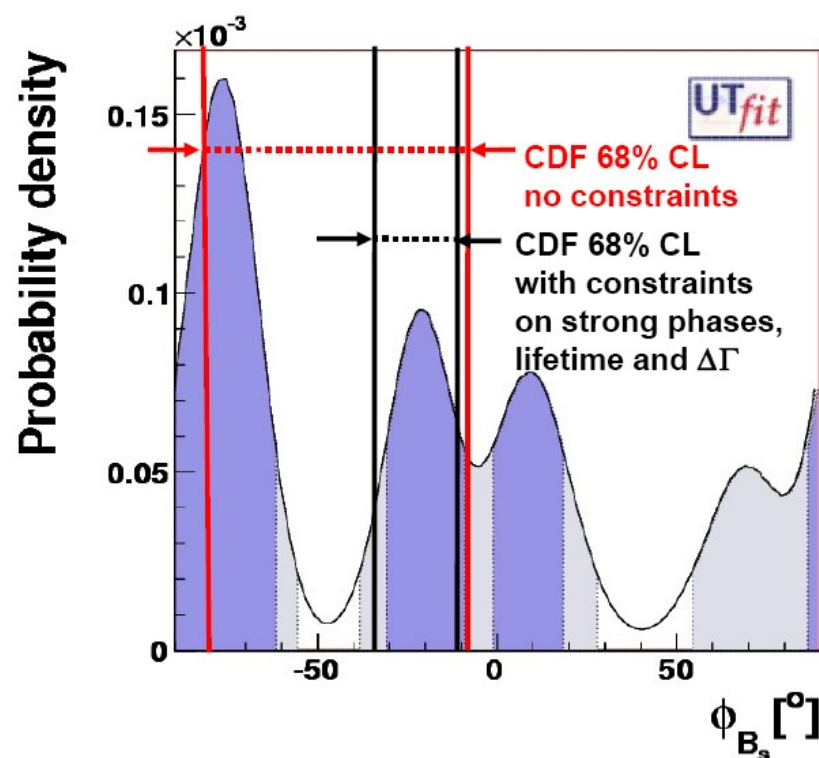
$2\beta_s$ in $[0.40, 1.20]$ at 68% C.L.



Impact of the tagged β_s analysis



2D result from Feldman-Cousins



1D result from Feldman Cousins

CP asymmetry in semileptonic B_s decays

- Alternative approach to ϕ_s (β_s): *an inclusive measurement*
- Semileptonic CP asymmetry related to $\phi_s^{\text{SM}} = \arg(-\tilde{M}_{12}/\Gamma_{12})$

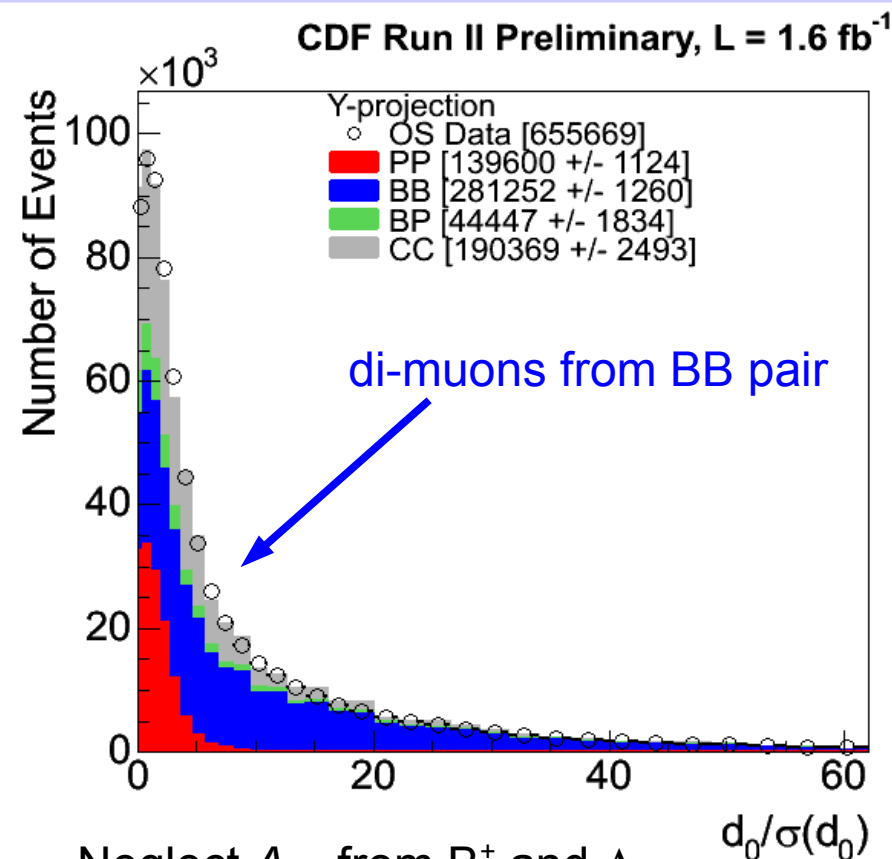
$$A_{SL}^{s,unt} = \frac{1}{2} \frac{\Delta\Gamma_s}{\Delta m_s} \tan \phi_s$$

- It could be combined with $2\beta_s$ - $\Delta\Gamma$ measurement from $B_s \rightarrow J/\psi\phi$ but CDF hasn't done so yet.
- We measure it by *counting the number of ++ and -- muon pairs*:

$$A_{corr} = \frac{N_{obs}^{++}(\frac{1}{\epsilon_+^2}) - N_{obs}^{--}(\frac{1}{\epsilon_-^2})}{N_{obs}^{++}(\frac{1}{\epsilon_+^2}) + N_{obs}^{--}(\frac{1}{\epsilon_-^2})} = \frac{N_{obs}^{++} - N_{obs}^{--}(\frac{\epsilon_+}{\epsilon_-})^2}{N_{obs}^{++} + N_{obs}^{--}(\frac{\epsilon_+}{\epsilon_-})^2}$$

CP asymmetry in semileptonic B_s decays

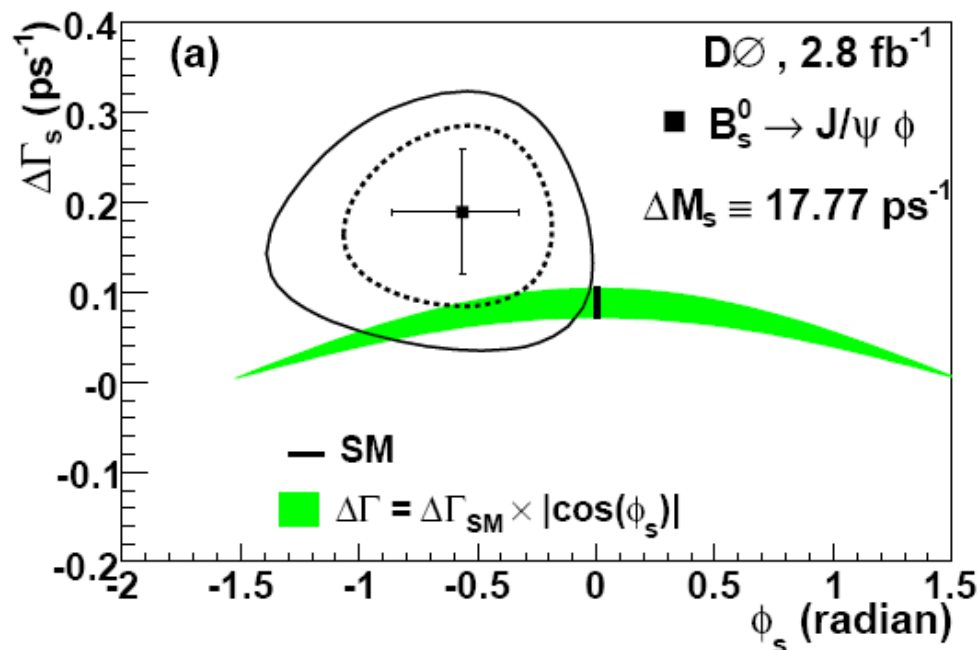
- dedicated di- μ trigger (high mass)
 - 660k opposite sign
 - 440k same sign dimuon pairs
- use d_0 of two muons to separate
 - di- μ from BB pair
 - charm (CC)
 - prompt (PP)
 - B+prompt (BP)
- correct for
 - hadrons faking muons
 - detector and trigger asymmetries



- Neglect A_{CP} from B^+ and Λ_b
- Correct for A_{SL}^d from B factories:

$$A_{SL}^s = 0.020 \pm 0.021(stat) \pm 0.016(syst) \pm 0.009(inputs)$$

D0 result and new UTfit preprint



$$\phi_s = -0.57^{+0.24}_{-0.30}(\text{stat})^{+0.07}_{-0.02}(\text{syst})$$

$$\Delta \Gamma = +0.19 \pm 0.07(\text{stat})^{+0.02}_{-0.01}(\text{syst}) \text{ ps}^{-1}$$

With constraint from HFAG:

$$\delta 1 = -0.46, \delta 2 = 2.92$$

Constraint within $\pi/5$

From UTfit 3σ ???:

[arXiv.org > hep-ph > arXiv:0803.0659v1](https://arxiv.org/abs/hep-ph/0803.0659v1)

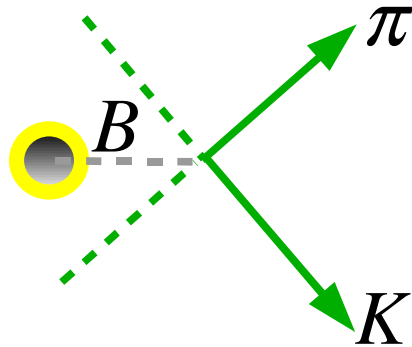
FIRST EVIDENCE OF NEW PHYSICS IN $b \leftrightarrow s$ TRANSITIONS

(UTfit Collaboration)

We combine all the available experimental information on B_s mixing, including the very recent tagged analyses of $B_s \rightarrow J/\Psi \phi$ by the CDF and D0 collaborations. We find that the phase of the B_s mixing amplitude deviates more than 3σ from the Standard Model prediction. While no single measurement has a 3σ significance yet, all the constraints show a remarkable agreement with the combined result. This is a first evidence of physics beyond the Standard Model. This result disfavors New Physics models with Minimal Flavour Violation with the same significance.

Composition of $B \rightarrow h^+ h'^-$

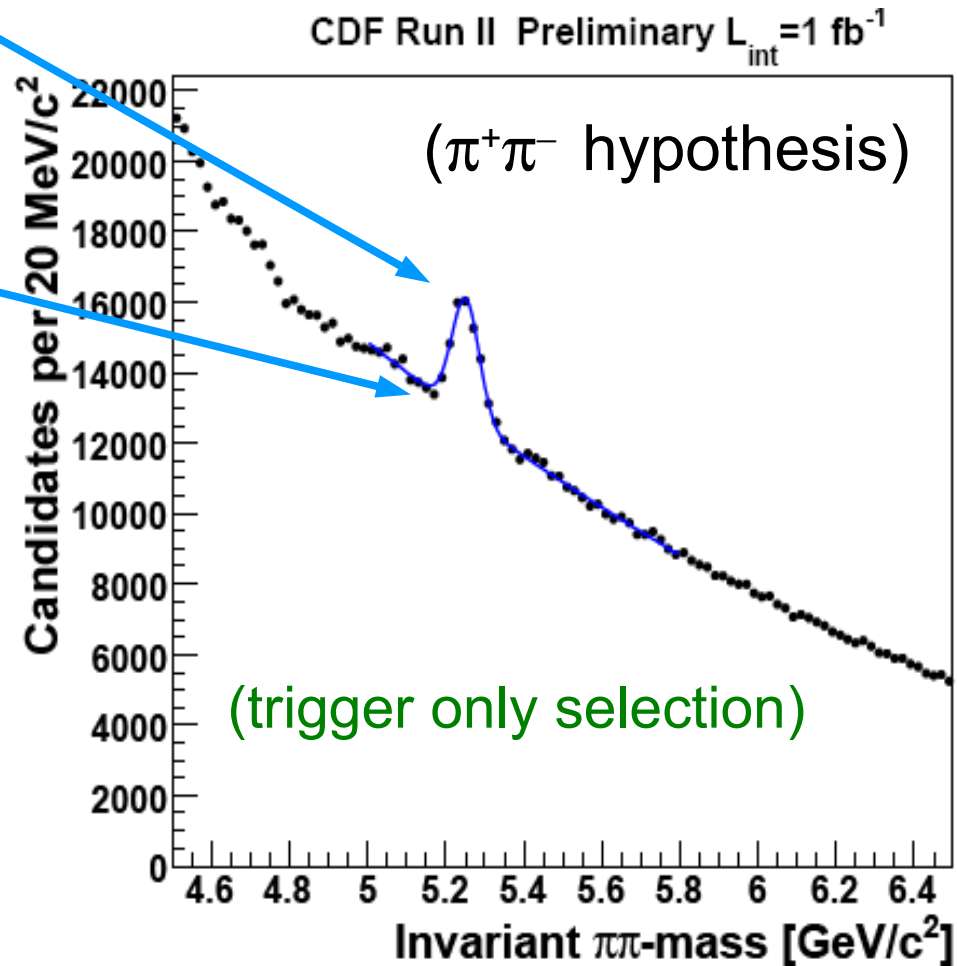
- Bump a mixture of: $B_d \rightarrow K\pi$



$$\begin{aligned} B_d &\rightarrow \pi\pi \\ B_s &\rightarrow KK \\ B_s &\rightarrow K\pi \end{aligned}$$

- Need to optimize & disentangle
- Using dE/dx
 - Effective K/π separation of $dE/dx \sim 1.4 \sigma$

\Rightarrow Separate contributions on a statistical basis



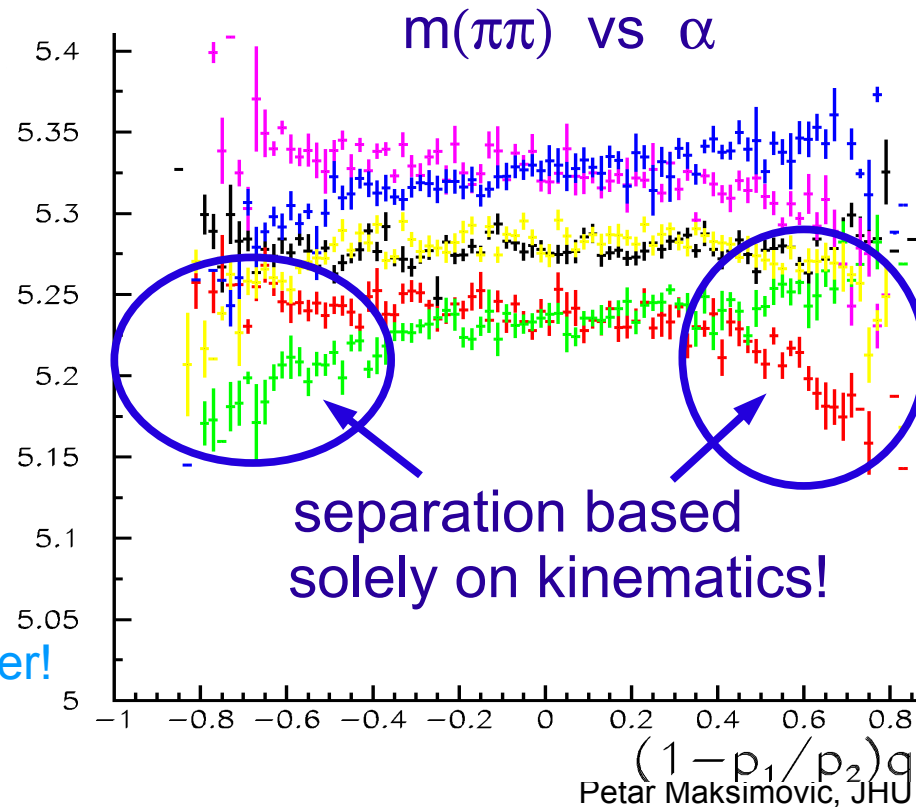
Tools to decompose $B \rightarrow h^+ h'^-$

- Multi-dimensional unbinned likelihood fit
- $m(\pi\pi)$ + a quantity related to dE/dx
- Kinematics for two other dimensions:
 - $p_{tot} = p_1 + p_2$
 - Momentum imbalance α (assuming $p_1 < p_2$)

$$\alpha = \left(1 - \frac{p_1}{p_2}\right) \cdot q_1$$

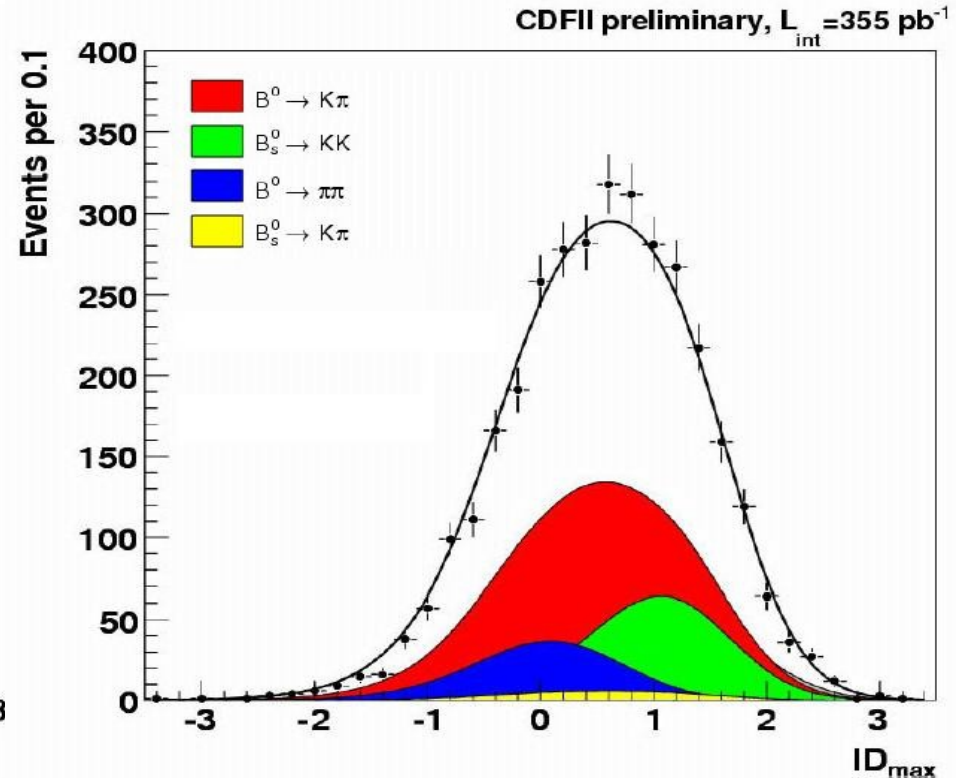
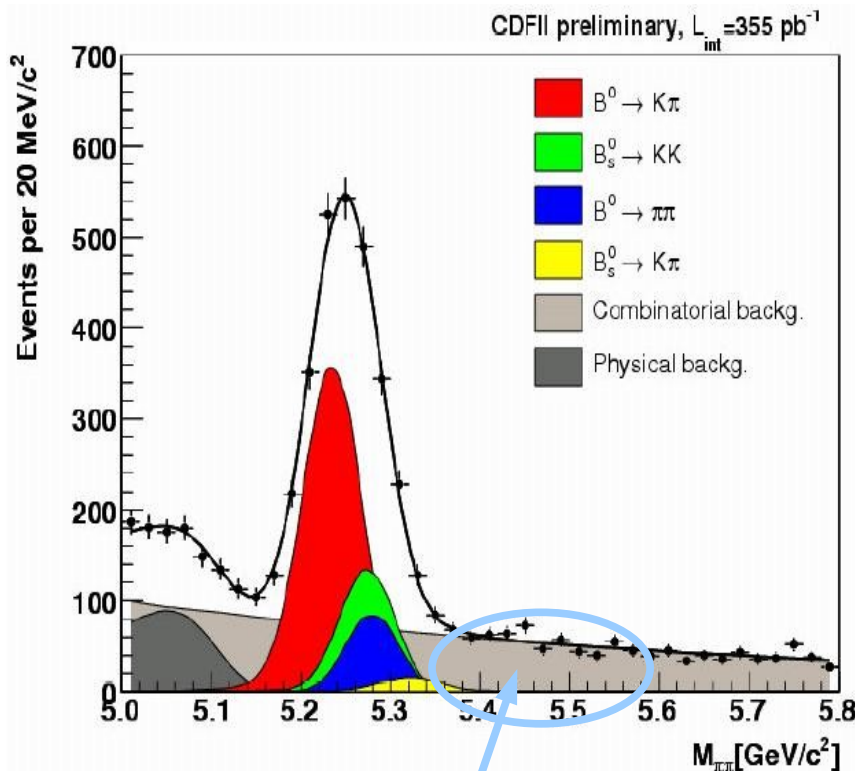
Mixes charge and kinematics

==> Can separate matter from antimatter!



$B \rightarrow h^+ h'^-:$ old projections (as example)

- Can clearly separate these decay modes
(But, these are **old** plots, story gets more complicated)



- A stubborn bump that doesn't go away when we blind the signal region and optimize using sidebands... ???

$B \rightarrow h^+ h'^- : \text{modern approach}$

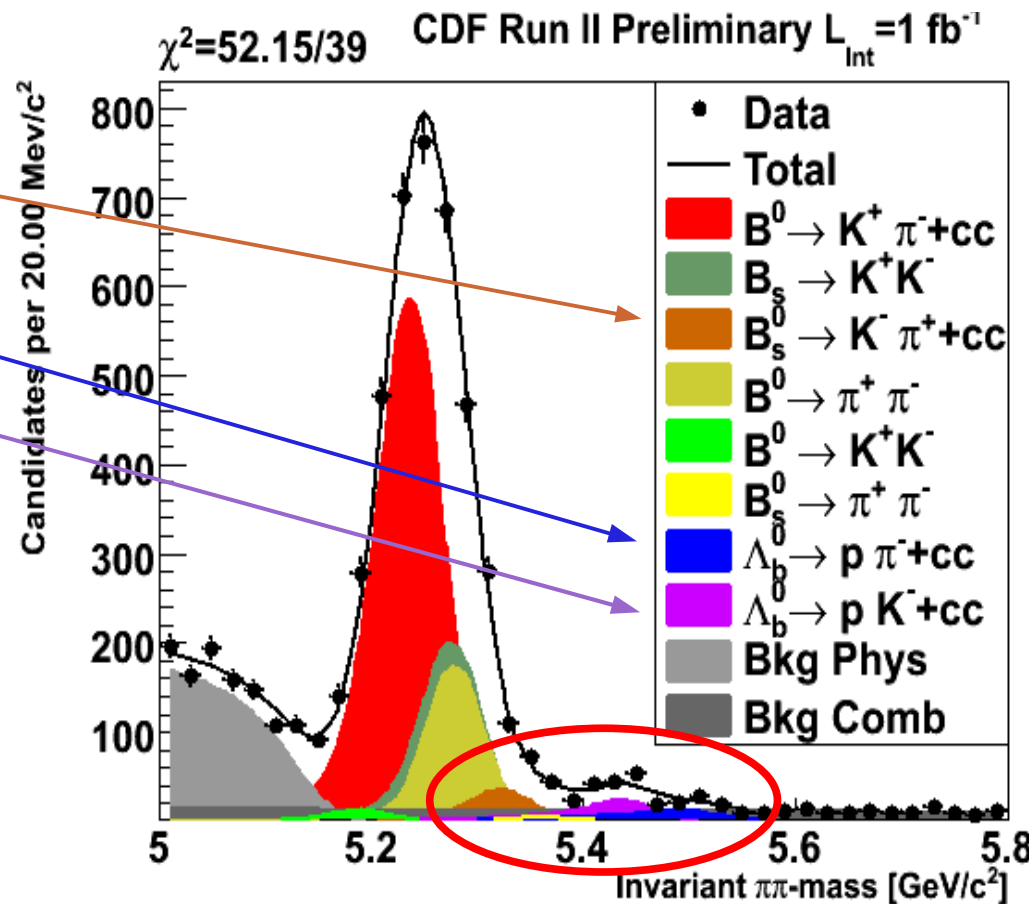
- Solution: also include $\Lambda_b \rightarrow p\pi$ and $\Lambda_b \rightarrow pK$ in the fit!

- Optimize twice:

- once for $B_s \rightarrow K\pi$
- separately for $\Lambda_b \rightarrow p\pi$ and $\Lambda_b \rightarrow pK$

- Fit result: first observation of all three channels!

- Moral: no safe place to hide from the signal!
(Just like SUSY @ LHC.)



BR's and Acp in $B_{s(d)} \rightarrow K^- \pi^+$ (in 1 fb^{-1})

- $B_s \rightarrow K^- \pi^+$ mode can be used for measuring γ
- A_{CP} in $B_s \rightarrow K^- \pi^+$ could provide a powerful model-independent test of the source of direct CP asymmetry observed in $B^0 \rightarrow K^- \pi^+$
- We see a $> 2\sigma$ effect:

$$A_{\text{CP}} = \frac{N(\overline{B}_s^0 \rightarrow K^+ \pi^-) - N(B_s^0 \rightarrow K^- \pi^+)}{N(\overline{B}_s^0 \rightarrow K^+ \pi^-) + N(B_s^0 \rightarrow K^- \pi^+)} = 0.39 \pm 0.15 \text{ (stat.)} \pm 0.08 \text{ (syst.)}$$

- CP asymmetry in $B^0 \rightarrow K^- \pi^+$ (improves world average from 6σ to 7σ ; and this is only 1/3 of the data...)

$$A_{\text{CP}} = \frac{N(\overline{B}^0 \rightarrow K^- \pi^+) - N(B^0 \rightarrow K^+ \pi^-)}{N(\overline{B}^0 \rightarrow K^- \pi^+) + N(B^0 \rightarrow K^+ \pi^-)} = -0.086 \pm 0.023 \text{ (stat.)} \pm 0.009 \text{ (syst.)}$$

BR's and A_{CP} in $\Lambda_b \rightarrow p \pi(K)$ (in 1 fb⁻¹)

- Results:

$$A_{CP}(\Lambda_b^0 \rightarrow p\pi^-) = \frac{\mathcal{B}(\Lambda_b^0 \rightarrow p\pi^-) - \mathcal{B}(\bar{\Lambda}_b^0 \rightarrow \bar{p}\pi^+)}{\mathcal{B}(\Lambda_b^0 \rightarrow p\pi^-) + \mathcal{B}(\bar{\Lambda}_b^0 \rightarrow \bar{p}\pi^+)} = 0.03 \pm 0.17 \text{ (stat.)} \pm 0.05 \text{ (syst.)}$$

$$A_{CP}(\Lambda_b^0 \rightarrow pK^-) = \frac{\mathcal{B}(\Lambda_b^0 \rightarrow pK^-) - \mathcal{B}(\bar{\Lambda}_b^0 \rightarrow \bar{p}K^+)}{\mathcal{B}(\Lambda_b^0 \rightarrow pK^-) + \mathcal{B}(\bar{\Lambda}_b^0 \rightarrow \bar{p}K^+)} = 0.37 \pm 0.17 \text{ (stat.)} \pm 0.03 \text{ (syst.)}$$

- First CP asymmetry meas. in b-baryon decays (expect SM ~ 10%)
- Additionally, first measurement of branching fraction relative to $B^0 \rightarrow K\pi$ decays:

$$\frac{\sigma(p\bar{p} \rightarrow \Lambda_b^0 X, p_T > 6 \text{ GeV}/c)}{\sigma(p\bar{p} \rightarrow B^0 X, p_T > 6 \text{ GeV}/c)} \frac{\mathcal{B}(\Lambda_b^0 \rightarrow p\pi^-)}{\mathcal{B}(B^0 \rightarrow K^+\pi^-)} = 0.0415 \pm 0.0074 \text{ (stat.)} \pm 0.0058 \text{ (syst.)}$$

$$\frac{\sigma(p\bar{p} \rightarrow \Lambda_b^0 X, p_T > 6 \text{ GeV}/c)}{\sigma(p\bar{p} \rightarrow B^0 X, p_T > 6 \text{ GeV}/c)} \frac{\mathcal{B}(\Lambda_b^0 \rightarrow pK^-)}{\mathcal{B}(B^0 \rightarrow K^+\pi^-)} = 0.0663 \pm 0.0089 \text{ (stat.)} \pm 0.0084 \text{ (syst.)}$$

BR's and Acp in $B^+ \rightarrow D^0 K^+$

- Measures quantities relevant for determination of the CKM angle γ
 $\arg(-V_{ud}V_{ub}^*/V_{cd}V_{cb}^*)$ by measuring A_{CP}^+ , A_{CP}^- , R_{CP}^+ and R_{CP}^-

$$A_{CP+} = \frac{BR(B^- \rightarrow D_{CP+}^0 K^-) - BR(B^+ \rightarrow D_{CP+}^0 K^+)}{BR(B^- \rightarrow D_{CP+}^0 K^-) + BR(B^+ \rightarrow D_{CP+}^0 K^+)}$$

$$R_{CP+} = \frac{R_+}{R} \text{ where:}$$

$$R = \frac{BR(B^- \rightarrow D^0 K^-) + BR(B^+ \rightarrow \bar{D}^0 K^+)}{BR(B^- \rightarrow D^0 \pi^-) + BR(B^+ \rightarrow \bar{D}^0 \pi^+)}$$

$$R_+ = \frac{BR(B^- \rightarrow D_{CP+}^0 K^-) + BR(B^+ \rightarrow D_{CP+}^0 K^+)}{BR(B^- \rightarrow D_{CP+}^0 \pi^-) + BR(B^+ \rightarrow D_{CP+}^0 \pi^+)}$$

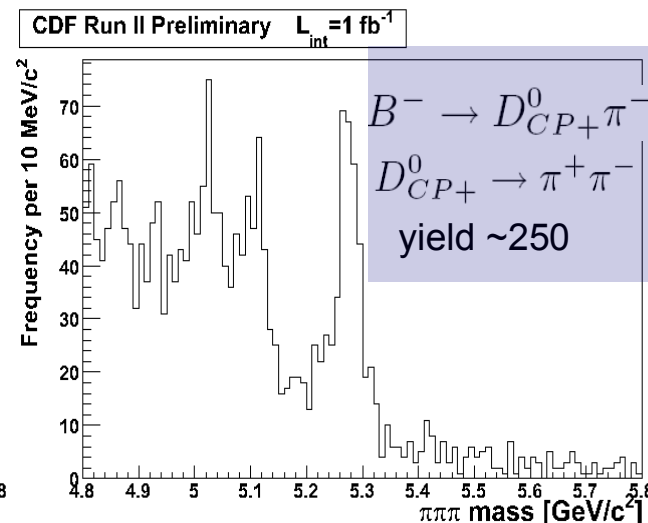
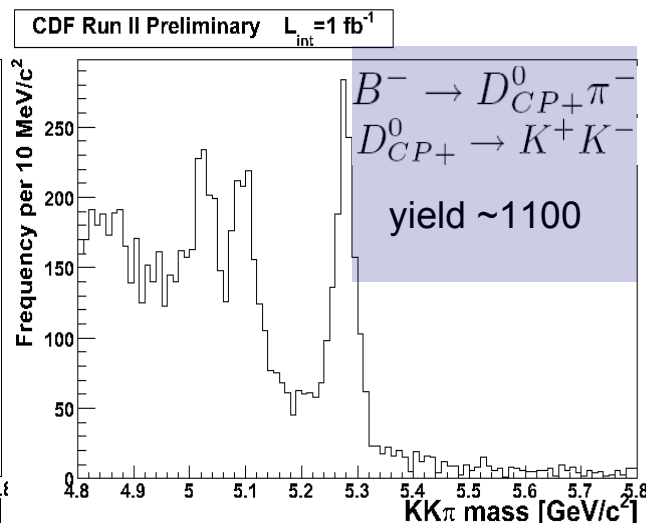
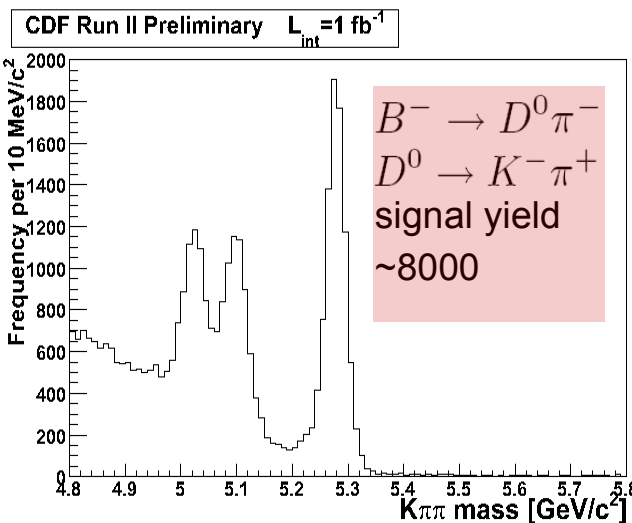
Flavor eigenstate:

$$D^0 \rightarrow K^- \pi^+$$

CP even eigenstate:

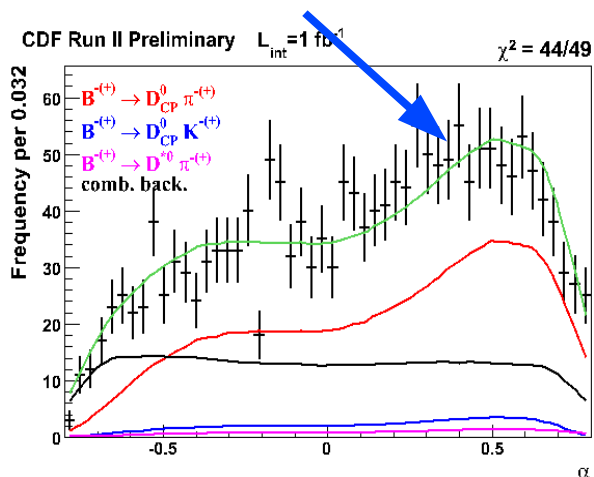
$$D_{CP+}^0 \rightarrow K^+ K^-$$

$$D_{CP+}^0 \rightarrow \pi^+ \pi^-$$

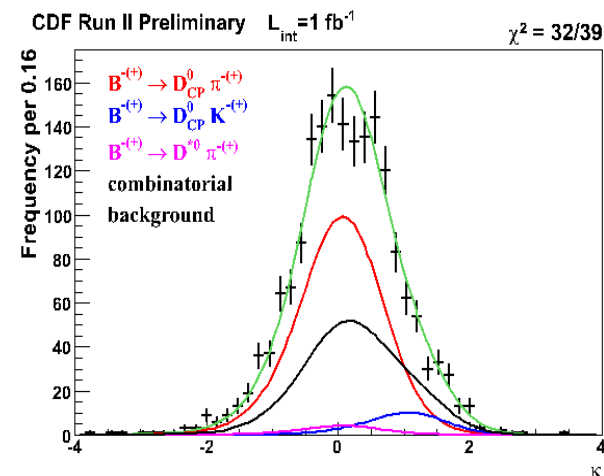
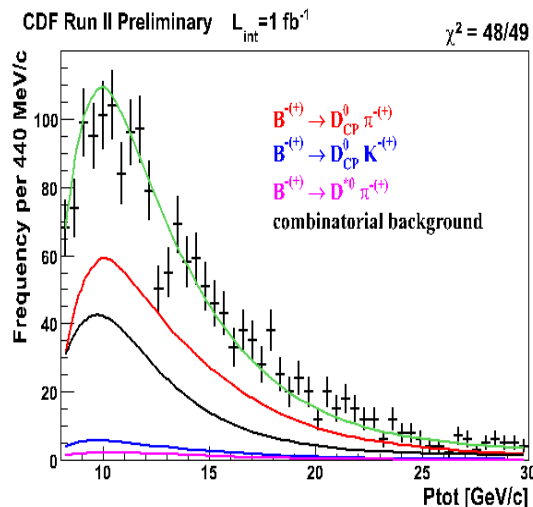
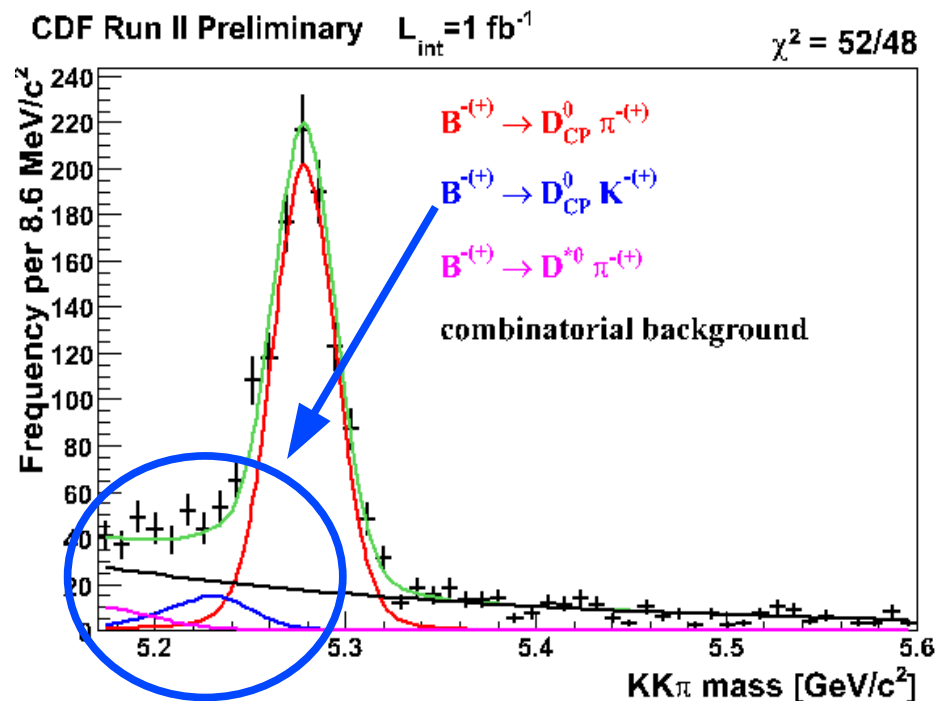


BR's and Acp in $B^+ \rightarrow D^0 K^+$

- Apply the same trick to $B^+ \rightarrow D^0 \pi^+$ and $B^+ \rightarrow D^0 K^+$ decays
- α distribution stops being symmetric (D is much heavier)



- But, the same approach works here as well!



BR's and A_{CP} in $B^+ \rightarrow D^0 K^+$

- Results:

- ratio of branching fractions:

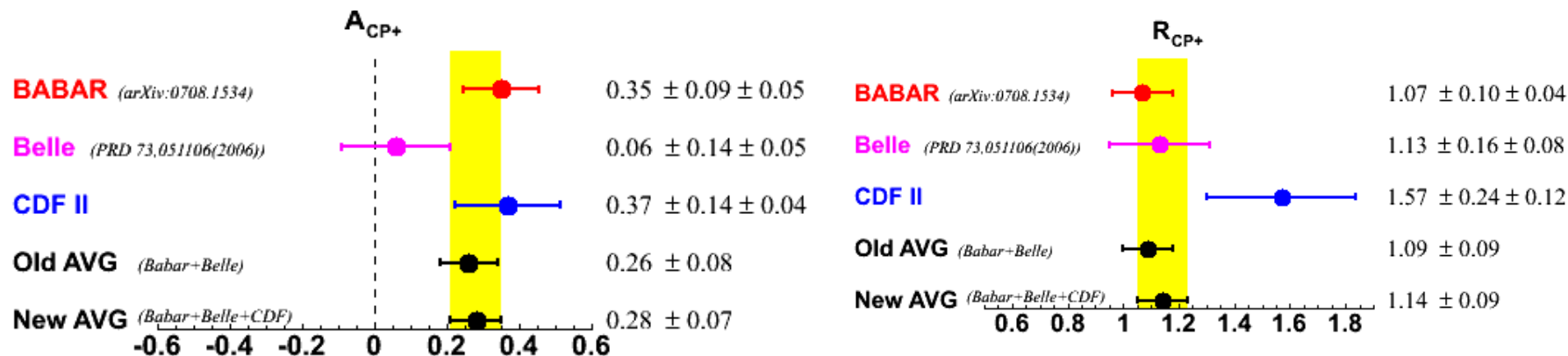
$$R = \frac{BR(B^- \rightarrow D^0 K^-) + BR(B^+ \rightarrow \bar{D}^0 K^+)}{BR(B^- \rightarrow D^0 \pi^-) + BR(B^+ \rightarrow \bar{D}^0 \pi^+)} = 0.0745 \pm 0.0043(stat.) \pm 0.0045(syst.)$$

$$R_{CP+} = \frac{BR(B^- \rightarrow D_{CP+}^0 K^-) + BR(B^+ \rightarrow D_{CP+}^0 K^+)}{[BR(B^- \rightarrow D^0 K^-) + BR(B^+ \rightarrow \bar{D}^0 K^+)]/2} = 1.57 \pm 0.24(stat.) \pm 0.12(syst.)$$

- direct CP asymmetry:

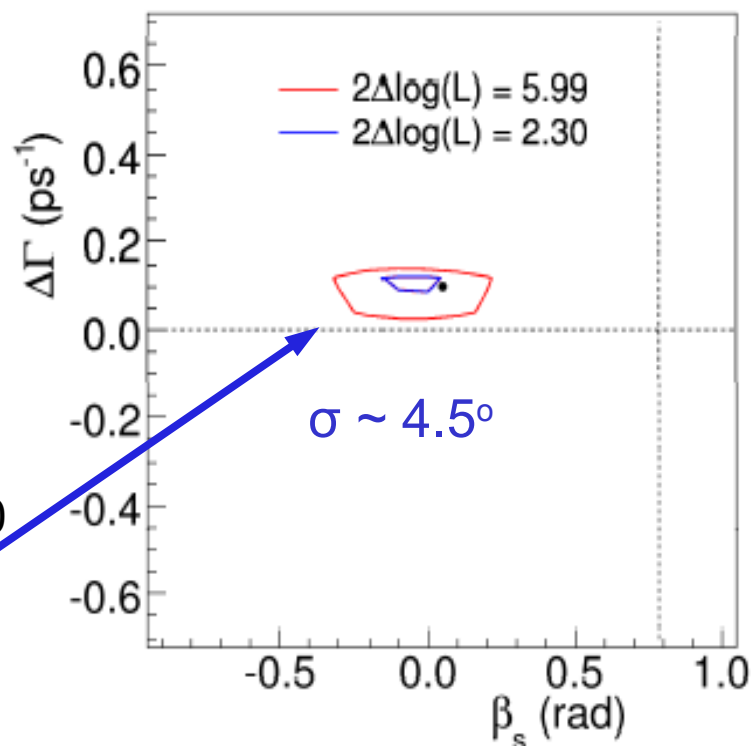
$$A_{CP+} = \frac{BR(B^- \rightarrow D_{CP+}^0 K^-) - BR(B^+ \rightarrow D_{CP+}^0 K^+)}{BR(B^- \rightarrow D_{CP+}^0 K^-) + BR(B^+ \rightarrow D_{CP+}^0 K^+)} = 0.37 \pm 0.14(stat.) \pm 0.04(syst.)$$

- Quantities measured for the first time at hadron colliders
- Results in agreement and competitive with B factories



Conclusions

- Very rich B physics program at Tevatron and CDF
 - Competitive with but also *complementary to* BaBar and Belle
 - Excluded a large domain of $\beta_s < 0$
- Great Tevatron performance
 - keep accumulating data
 - keep updating analyses
 - work hard to update of $B_s \rightarrow J/\psi\phi$ for the summer
 - properly combine likelihoods with D0
 - expect 6 fb⁻¹ by the end of Run2
- This is an exciting time to work on CP violation and search for new phenomena in B decays!



Backup Slides

Rare decays

- With 2.0 fb⁻¹, best limit in:

$$\begin{aligned} \mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^-) &< 5.8 \times 10^{-8} \quad (4.7 \times 10^{-8}) \text{ at 95(90)\%CL} \\ \mathcal{B}(B^0 \rightarrow \mu^+ \mu^-) &< 1.8 \times 10^{-8} \quad (1.5 \times 10^{-8}) \text{ at 95(90)\%CL} \end{aligned}$$

arXiv:0712.1708

- 0.9 fb⁻¹

$$\left. \begin{aligned} \mathcal{B}(B^+ \rightarrow \mu^+ \mu^- K^+) &= (0.60 \pm 0.15 \pm 0.04) \times 10^{-6}, \\ \mathcal{B}(B^0 \rightarrow \mu^+ \mu^- K^{*0}) &= (0.82 \pm 0.31 \pm 0.10) \times 10^{-6} \end{aligned} \right\} \begin{array}{l} \text{consistent with world average and} \\ \text{competitive with best measurements} \end{array}$$

$$\mathcal{B}(B_s \rightarrow \mu^+ \mu^- \phi) / \mathcal{B}(B_s \rightarrow J/\psi \phi) < 2.61(2.30) \times 10^{-3} \text{ at 95(90)\%CL} \quad \text{best limit}$$

http://www-cdf.fnal.gov/physics/new/bottom/061130.blessed_bmumuh/

- First observation of $\overline{B}_s^0 \rightarrow D_s^\pm K^\mp$ in 1.2 fb⁻¹

109 +/- 9 signal events with ~8 sigma significance

Measure branching fraction relative to Cabibbo allowed mode:

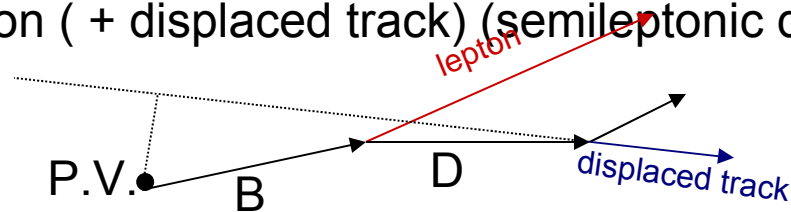
$$\mathcal{B}(\overline{B}_s^0 \rightarrow D_s^\pm K^\mp) / \mathcal{B}(\overline{B}_s^0 \rightarrow D_s^+ \pi^-) = 0.107 \pm 0.019(\text{stat}) \pm 0.008(\text{sys})$$

<http://www-cdf.fnal.gov/physics/new/bottom/070524.blessed-Bs-DsK/>

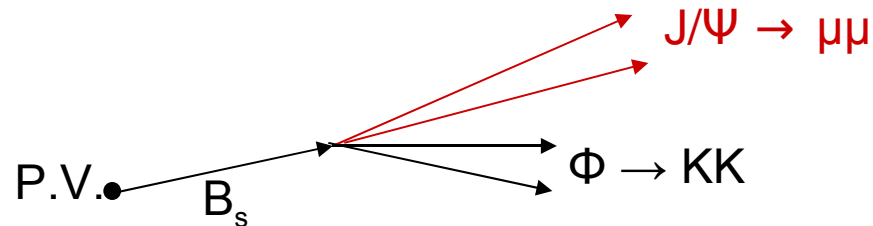
Triggers

- Triggers designed to select events with topologies consistent with B decays:

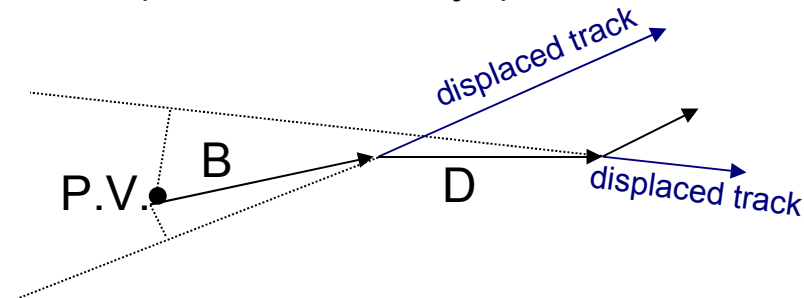
- single lepton (+ displaced track) (semileptonic decays) \leftarrow DØ (CDF)



- di-lepton ($B \rightarrow J/\psi$, $B \rightarrow \mu\mu$, $B \rightarrow \mu\mu + \text{hadrom}$) \leftarrow both CDF and DØ



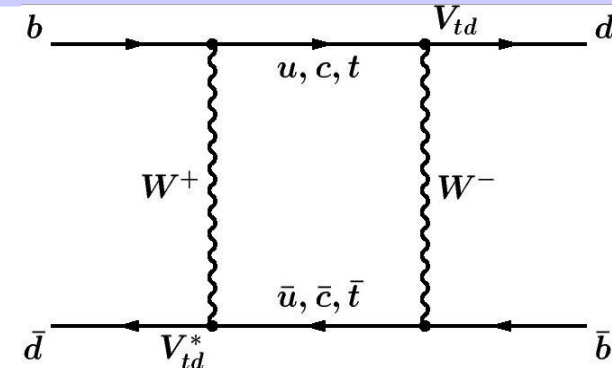
- displaced tracks (hadronic decays) \leftarrow CDF



Flavor tagging refresher

- Flavor asymmetry (from B mixing)

$$A(t) \equiv \frac{N_{\text{unmix}} - N_{\text{mix}}}{N_{\text{unmix}} + N_{\text{mix}}} = D \cos \Delta m_s t$$



- To measure mixing:
 - **Flavor at production** (via “flavor tagging”)

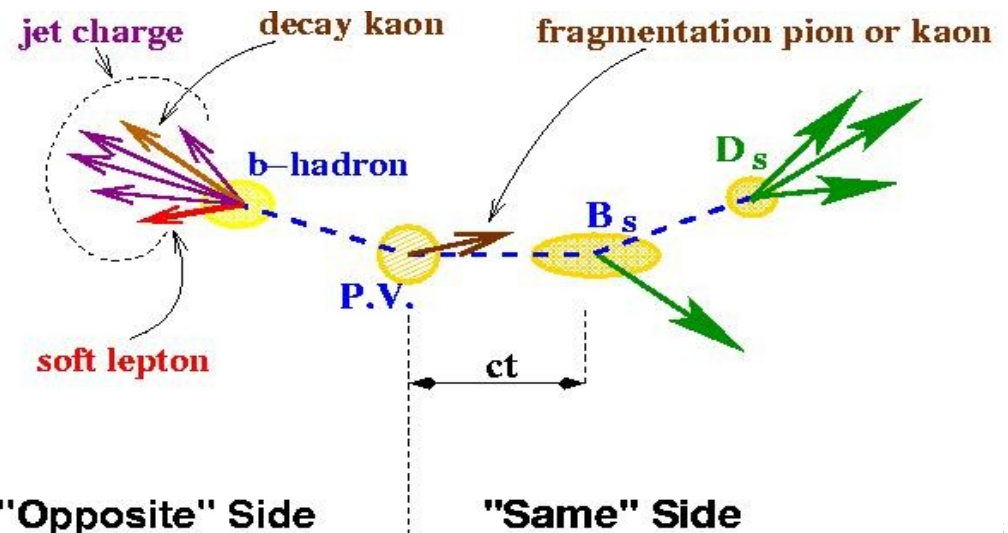


Flavor at decay

$$ct \equiv L_{xy} \frac{m}{p_T}$$

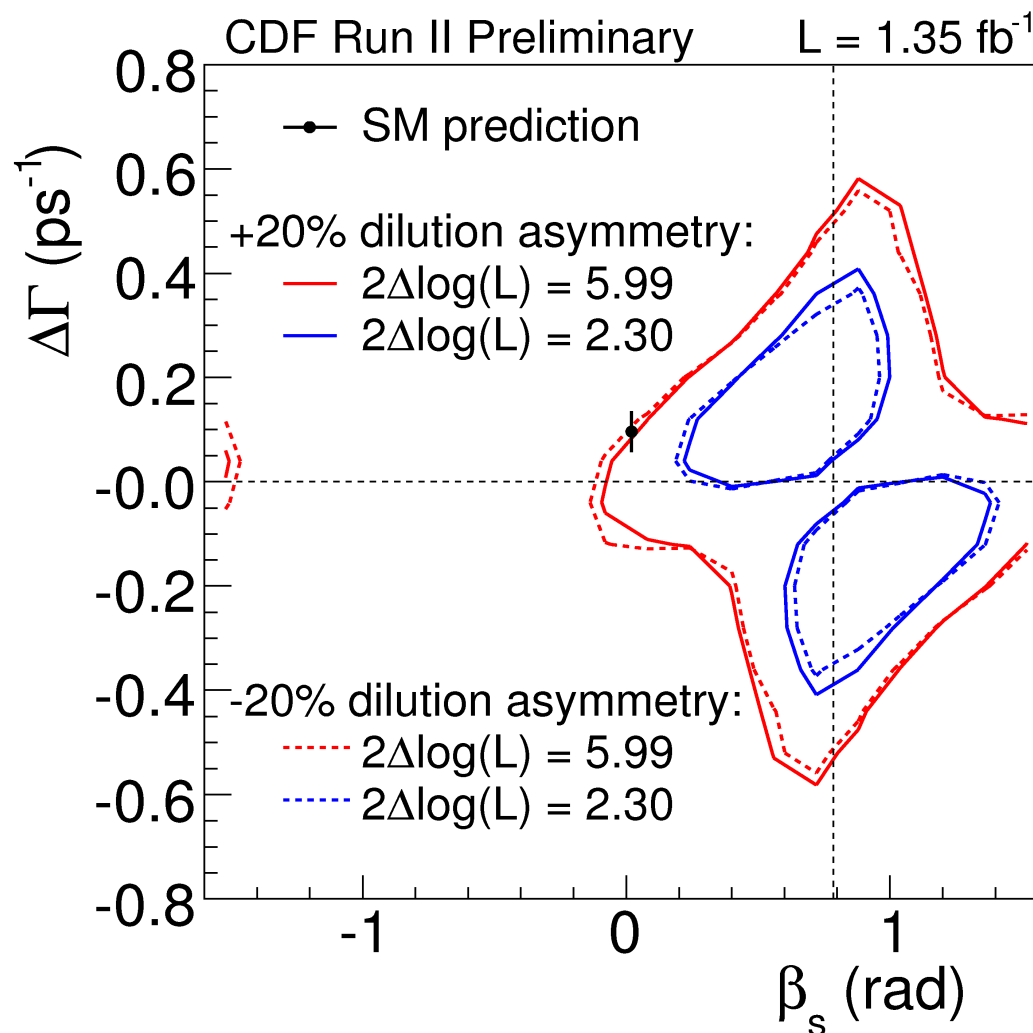
- Flavor tagging characterized by:

- efficiency ε and dilution D ($= 1 - 2w$)
- Statistical power $\sim \varepsilon D^2$



Effect of Dilution asymmetry on β_s

- Effect of 20% b-bbar dilution asymmetry is very small



$B_s \rightarrow J/\psi \Phi$ phenomenology

- $B_s \rightarrow J/\psi \Phi$ decay rate as function of time, decay angles and initial B_s flavor:

$$\frac{d^4 P(t, \vec{\rho})}{dt d\vec{\rho}} \propto |A_0|^2 T_+ f_1(\vec{\rho}) + |A_{||}|^2 T_+ f_2(\vec{\rho})$$

$$+ |A_{\perp}|^2 T_- f_3(\vec{\rho}) + |A_{||}| |A_{\perp}| \mathcal{U}_+ f_4(\vec{\rho})$$

$$+ |A_0| |A_{||}| \cos(\delta_{||}) T_+ f_5(\vec{\rho})$$

$$+ |A_0| |A_{\perp}| \mathcal{V}_+ f_6(\vec{\rho}),$$

time dependence terms

angular dependence terms

terms with β_s dependence

$$T_{\pm} = e^{-\Gamma t} \times [\cosh(\Delta\Gamma t/2) \mp \cos(2\beta_s) \sinh(\Delta\Gamma t/2)$$

$$\mp \eta \sin(2\beta_s) \sin(\Delta m_s t)],$$

terms with Δm_s dependence
due to initial state flavor tagging

$$\mathcal{U}_{\pm} = \pm e^{-\Gamma t} \times [\sin(\delta_{\perp} - \delta_{||}) \cos(\Delta m_s t)$$

$$- \cos(\delta_{\perp} - \delta_{||}) \cos(2\beta_s) \sin(\Delta m_s t)$$

$$\pm \cos(\delta_{\perp} - \delta_{||}) \sin(2\beta_s) \sinh(\Delta\Gamma t/2)]$$

$$\mathcal{V}_{\pm} = \pm e^{-\Gamma t} \times [\sin(\delta_{\perp}) \cos(\Delta m_s t)$$

$$- \cos(\delta_{\perp}) \cos(2\beta_s) \sin(\Delta m_s t)$$

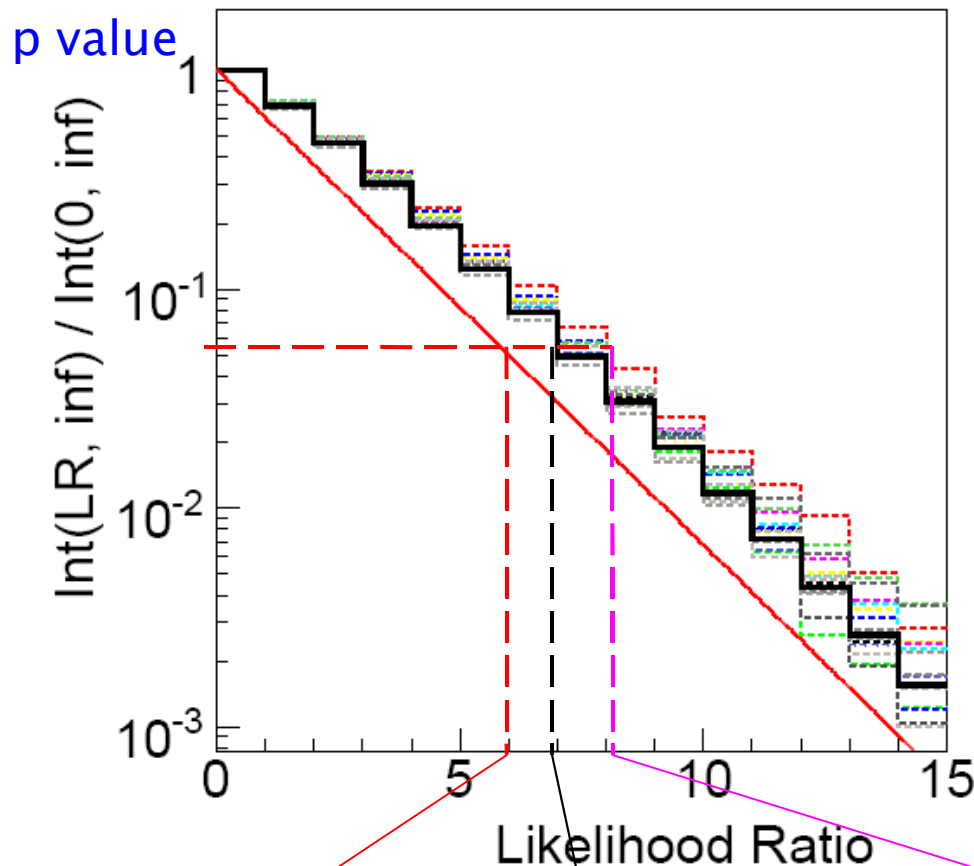
$$\pm \cos(\delta_{\perp}) \sin(2\beta_s) \sinh(\Delta\Gamma t/2)].$$

'strong' phases:

$$\delta_{||} \equiv \arg(A_{||}^* A_0)$$

$$| \delta_{\perp} \equiv \arg(A_{\perp}^* A_0)$$

Systematics



Red curve:

regular likelihood profile: $\chi^2(2)$

Black histogram:

average LR distribution from FC

Dashed histograms:

16 Variations of 27 nuisance parameter within 5σ with FC

Perfect likelihood

FC profile

FC profile with systematics

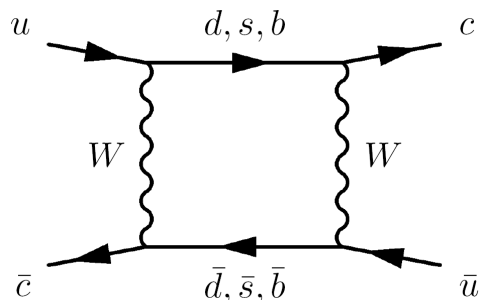
D⁰ Mixing

arXiv:0712.1567

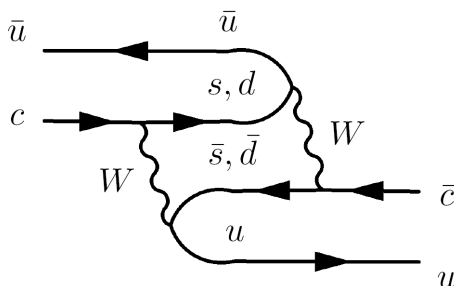
- After recent observation of fastest neutral meson oscillations in B_s system by CDF and DØ → time to look at the slowest oscillation of D⁰ mesons ☺

- D⁰ mixing in SM occurs through either:

‘short range’ processes
(negligible in SM)



‘long range’ processes



	$\Delta M/\Gamma$	$\Delta \Gamma/\Gamma$
K ⁰	0.474	0.997
B ⁰	0.77	<0.01
B _s	27	0.15
D ⁰	< few%	< few%

- Recent D⁰ mixing evidence ← different D⁰ decay time distributions in

Belle

D⁰ → ππ, KK (CP eigenstates)
compared to D⁰ → Kπ

BaBar

doubly Cabibbo suppressed (DCS) D⁰ → K⁺π⁻
compared to Cabibbo favored (CF) D⁰ → K⁻π⁺
(*Belle* does not see evidence in this mode)

Evidence for D^0 Mixing

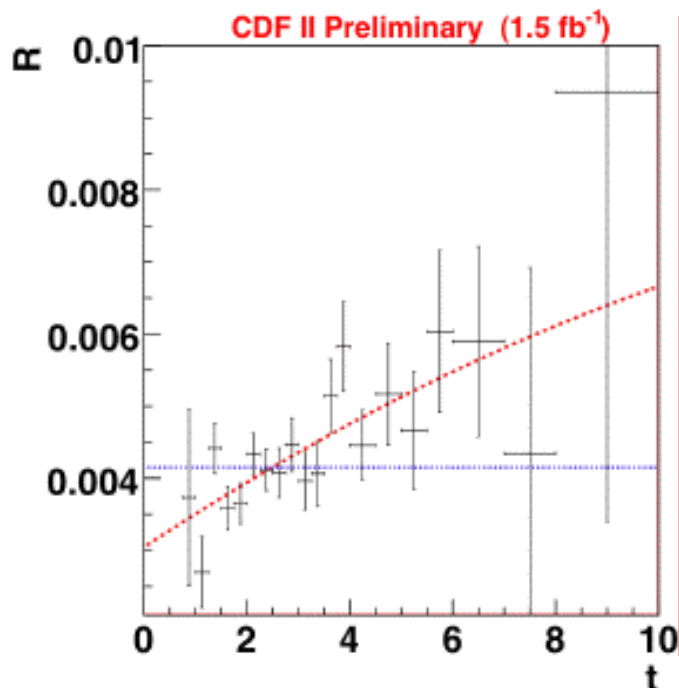
- CDF sees evidence for D^0 mixing at 3.8σ significance by comparing DCS $D^0 \rightarrow K^+\pi^-$ decay time distribution to CF $D^0 \rightarrow K^-\pi^+$ (confirms *BaBar*)
- Ratio of decay time distributions:

$$R(t/\tau) = R_D + \sqrt{R_D} y' (t/\tau) + \frac{x'^2 + y'^2}{4} (t/\tau)^2$$

where $x' = x \cos \delta + y \sin \delta$ and $y' = -x \sin \delta + y \cos \delta$

δ is strong phase between DCS and CF amplitudes

mixing parameters $x = \Delta M/\Gamma$ $y = \Delta\Gamma/2\Gamma$ are 0 in absence of mixing



Fit type	$R_D (10^{-3})$	$y' (10^{-3})$	$x'^2 (10^{-3})$	$\chi^2 / \text{d.o.f.}$
Unconstrained	3.04 ± 0.55	8.5 ± 7.6	-0.12 ± 0.35	19.2 / 17
Physically allowed	3.22 ± 0.23	6.0 ± 1.4	0	19.3 / 18
No mixing	4.15 ± 0.10	0	0	36.8 / 19

Experiment	$R_D (10^{-3})$	$y' (10^{-3})$	$x'^2 (10^{-3})$	Mixing Signif.
CDF	3.04 ± 0.55	8.5 ± 7.6	-0.12 ± 0.35	3.8
BABAR	3.03 ± 0.19	9.7 ± 5.4	-0.22 ± 0.37	3.9
Belle	3.64 ± 0.17	$0.6^{+4.0}_{-3.9}$	$0.18^{+0.21}_{-0.23}$	2.0